



## Dr. NAGY-GYÖRGY Tamás

*Associate Professor*

### E-mail:

[tamas.nagy-gyorgy@upt.ro](mailto:tamas.nagy-gyorgy@upt.ro)

### Tel:

+40 256 403 935

### Web:

<http://www.ct.upt.ro/users/TamasNagyGyorgy/index.htm>

### Office:

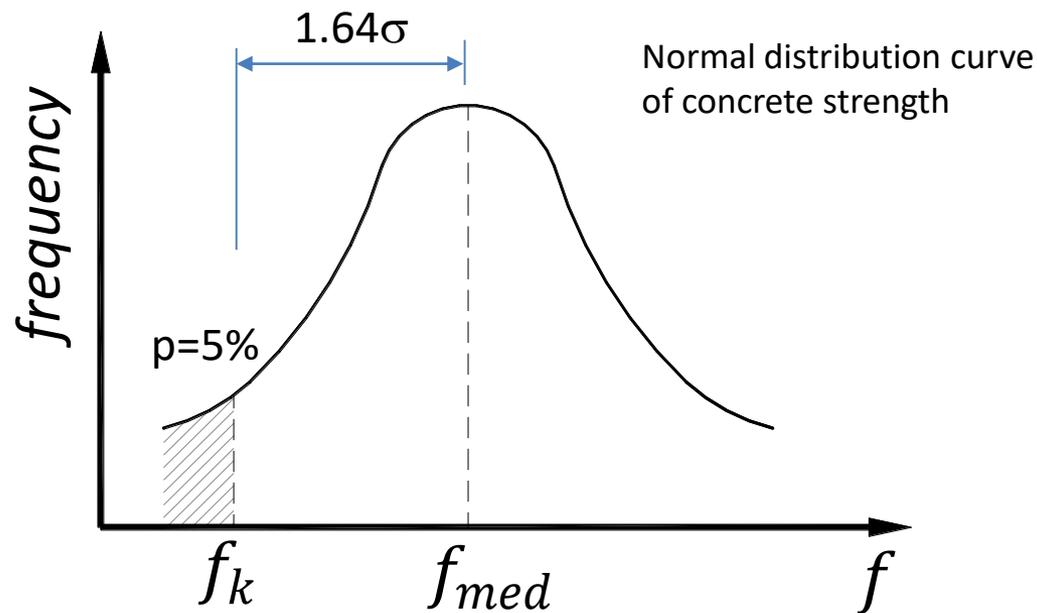
A219

# 6.1 DESIGN CHARACTERISTICS OF CONCRETE

## 6.2 DESIGN CHARACTERISTICS OF STEEL REINFORCEMENT

## Concrete / Betonul

The compressive strength of concrete is denoted by concrete strength classes which relate to the characteristic (5%) cylinder strength  $f_{ck}$ , or the cube strength  $f_{ck,cube}$ , determined at 28 days.



# C16/20



150x300



150

$$f_{cyl} = (0.87 - 0.002f_{cub})f_{cub}$$

$$f_k = (1 - t c_v) f_{med}$$

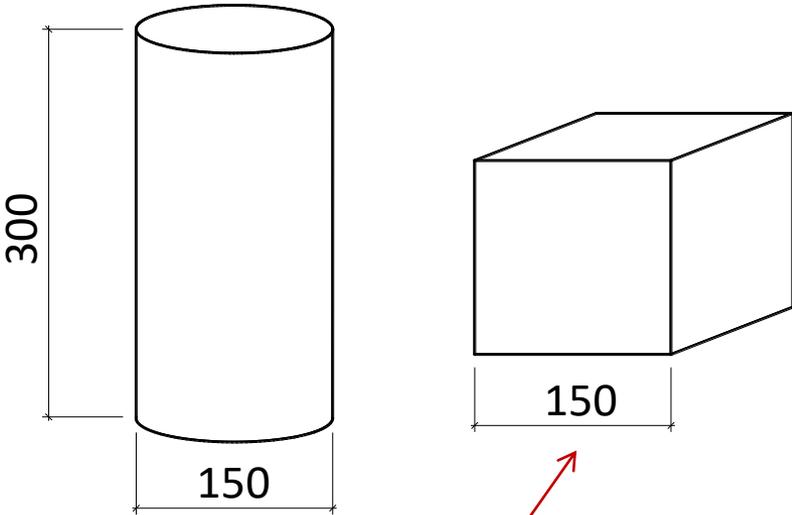
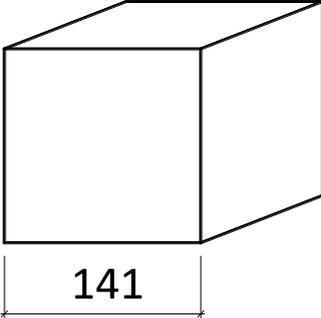
$$c_v = 15\%$$

$$t = 1.64 \text{ for } p=5\% \text{ and } n \geq 120$$

Strength class of concrete is a characteristic strength, because represents the value below which 5% of values are expected to fall.

## Concrete / Betonul

## COMPRESSIVE STRENGTH OF CONCRETE

	SR EN 1992-1-1		STAS 10107/0-90
			
Symbol	C 16/20		Bc20
$f_{ck}$	$f_{ck}$	$f_{ck,cube}$	$R_{bk}$

$$f_{ck} \cong 0.8f_{ck,cube}$$

**Used in  
calculations!**

Is not used directly  
in calculations!

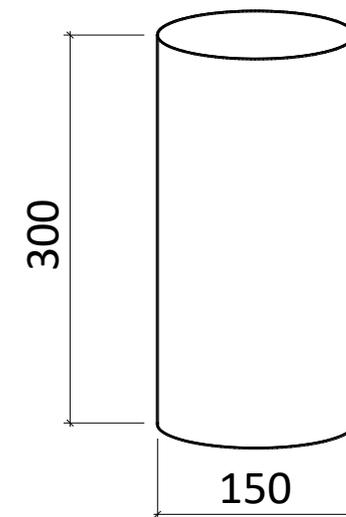
## Concrete / Betonul

## COMPRESSIVE STRENGTH OF CONCRETE

$$f_{ck} = f_{ck,cyl}$$

## THE MEAN CONCRETE COMPRESSIVE STRENGTH

$$f_{cm} = f_{ck} + 8(MPa)$$



## Concrete / Betonul

COMPRESSIVE STRENGTH OF CONCRETE AT AN **AGE**  $t$  depends on:

- type of cement
- temperature
- curing conditions

$$f_{ck}(t) = f_{cm}(t) - 8(\text{MPa}) \quad \text{for } 3 < t < 28 \text{ days}$$

$$f_{ck}(t) = f_{ck} \quad \text{for } t \geq 28 \text{ days}$$

$$f_{cm}(t) = \beta_{cc}(t)f_{cm} \quad \text{with} \quad \beta_{cc}(t) = \exp \left\{ s \left[ 1 - \left( \frac{28}{t} \right)^{1/2} \right] \right\}$$

where

$f_{cm}(t)$  - mean concrete compressive strength at an age of  $t$  days

$\beta_{cc}(t)$  - coefficient which depends on the age of the concrete  $t$

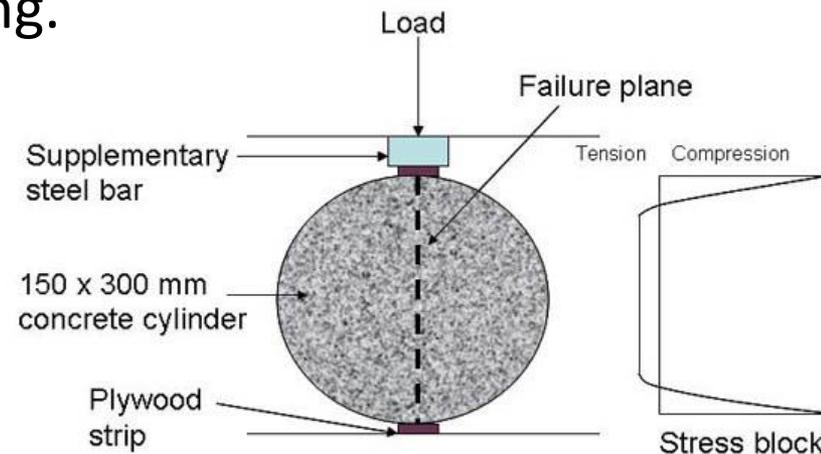
$s$  - coefficient which depends on the type of cement

## Concrete / Betonul

## TENSILE STRENGTH OF CONCRETE

The tensile strength of concrete  $f_{ct}$  refers to the highest stress reached under concentric tensile loading.

The usual test is splitting of a cylindrical specimen.



Where the tensile strength is determined as the splitting tensile strength ( $f_{ct,sp}$ ) the approximate value of the axial tensile strength may be taken as:

$$f_{ct} = 0.9f_{ct,sp}$$

## TENSILE STRENGTH OF CONCRETE

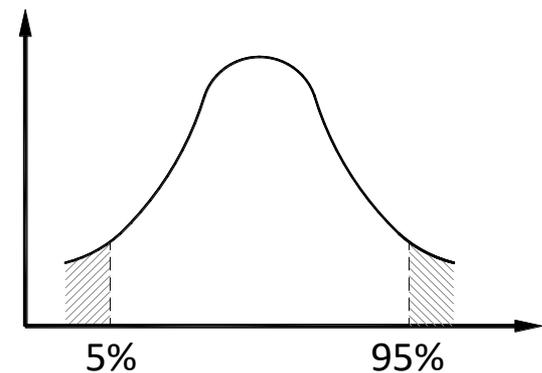
Average tensile strength is obtained from relation:

$$f_{ctm} = 0.3f_{ck}^{2/3}$$

Other values of the characteristic tensile strength, defined by the fractal of 5% and 95%:

$$f_{ctk,0.05} = 0.7f_{ctm}$$

$$f_{ctk,0.95} = 1.3f_{ctm}$$



## Concrete / Betonul

TENSILE STRENGTH OF CONCRETE **at an age t**

→ is strongly influenced by curing and drying conditions as well as by the dimensions of the structural members

$$f_{ctm}(t) = (\beta_{cc}(t))^{\alpha} \cdot f_{ctm}$$

where

$$\alpha = 1 \quad \text{for } t < 28 \text{ days}$$

$$\alpha = 2/3 \quad \text{for } t \geq 28 \text{ days}$$

## Concrete / Betonul

## DESIGN COMPRESSIVE AND TENSILE STRENGTHS

The value of the design compressive strength is defined as

$$f_{cd} = \alpha_{cc} \frac{f_{ck}}{\gamma_c} = \frac{f_{ck}}{\gamma_c} \quad \rightarrow \quad f_{cd} = \frac{f_{ck}}{\gamma_c}$$

The value of the design tensile strength is defined as

$$f_{ctd} = \alpha_{ct} \frac{f_{ctk,0.05}}{\gamma_c} = \frac{f_{ctk,0.05}}{\gamma_c} \quad \rightarrow \quad f_{ctd} = \frac{f_{ctk,0.05}}{\gamma_c}$$

$\alpha_{cc}$ ,  $\alpha_{ct}$  - coefficient taking account of long term effects on the compressive/tensile strength and of unfavourable effects resulting from the way the load is applied. Recommended value is = 1.0.

## PARTIAL SAFETY FACTORS FOR CONCRETE AND STEEL IN ULS

Table 2.1N

Design situations	$\gamma_c$ for concrete	$\gamma_s$ for reinforcing steel	$\gamma_s$ for prestressing steel
Persistent & Transient	1,5	1,15	1,15
Accidental	1,2	1,0	1,0

## Concrete / Betonul

Strength classes for concrete															Analytical relation / Explanation	
$f_{ck}$ (MPa)	12	16	20	25	30	35	40	45	50	55	60	70	80	90		← Characteristic compressive cylinder strength of concrete
$f_{ck,cube}$ (MPa)	15	20	25	30	37	45	50	55	60	67	75	85	95	105		← Characteristic compressive cube strength of concrete
$f_{cm}$ (MPa)	20	24	28	33	38	43	48	53	58	63	68	78	88	98	$f_{cm} = f_{ck} + 8$ (MPa)	← Mean value of concrete cylinder compressive strength
$f_{ctm}$ (MPa)	1,6	1,9	2,2	2,6	2,9	3,2	3,5	3,8	4,1	4,2	4,4	4,6	4,8	5,0	$f_{ctm} = 0,30 \times f_{ck}^{(2/3)} \leq C50/60$ $f_{ctm} = 2,12 \cdot \ln(1 + (f_{cm}/10)) > C50/60$	← Mean value of axial tensile strength of concrete
$f_{ctk,0,05}$ (MPa)	1,1	1,3	1,5	1,8	2,0	2,2	2,5	2,7	2,9	3,0	3,1	3,2	3,4	3,5	$f_{ctk,0,05} = 0,7 \times f_{ctm}$ 5% fractile	← Characteristic tensile strength of concrete with 5% probabil.
$f_{ctk,0,95}$ (MPa)	2,0	2,5	2,9	3,3	3,8	4,2	4,6	4,9	5,3	5,5	5,7	6,0	6,3	6,6	$f_{ctk,0,95} = 1,3 \times f_{ctm}$ 95% fractile	← Characteristic tensile strength of concrete with 95% probabil.
$E_{cm}$ (GPa)	27	29	30	31	33	34	35	36	37	38	39	41	42	44	$E_{cm} = 22[(f_{cm}/10)]^{0,3}$ ( $f_{cm}$ in MPa)	← Secant modulus of elasticity of concrete
$\epsilon_{c1}$ (‰)	1,8	1,9	2,0	2,1	2,2	2,25	2,3	2,4	2,45	2,5	2,6	2,7	2,8	2,8	see Figure 3.2 $\epsilon_{c1}(\text{‰}) = 0,7 f_{cm}^{0,31} < 2,8$	← Compressive strain in the concrete at the peak stress $f_c$
$\epsilon_{cu1}$ (‰)	3,5									3,2	3,0	2,8	2,8	2,8	see Figure 3.2 for $f_{ck} \geq 50$ Mpa $\epsilon_{cu1}(\text{‰}) = 2,8 + 27[(98 - f_{cm}/100)]^4$	← Ultimate compressive strain in the concrete
$\epsilon_{c2}$ (‰)	2,0									2,2	2,3	2,4	2,5	2,6	see Figure 3.3 for $f_{ck} \geq 50$ Mpa $\epsilon_{c2}(\text{‰}) = 2,0 + 0,085(f_{ck} - 50)^{0,53}$	← Strain at reaching the maximum strength in concrete
$\epsilon_{cu2}$ (‰)	3,5									3,1	2,9	2,7	2,6	2,6	see Figure 3.3 for $f_{ck} \geq 50$ Mpa $\epsilon_{cu2}(\text{‰}) = 2,6 + 35[(90 - f_{ck}/100)]^4$	← Ultimate strain in concrete
$n$	2,0									1,75	1,6	1,45	1,4	1,4	for $f_{ck} \geq 50$ Mpa $n = 1,4 + 23,4[(90 - f_{ck}/100)]^4$	← Exponent in formula 3.17
$\epsilon_{c3}$ (‰)	1,75									1,8	1,9	2,0	2,2	2,3	see Figure 3.4 for $f_{ck} \geq 50$ Mpa $\epsilon_{c3}(\text{‰}) = 1,75 + 0,55[(f_{ck} - 50)/40]$	← Strain at maximum strength in concrete (fig . 3.4)
$\epsilon_{cu3}$ (‰)	3,5									3,1	2,9	2,7	2,6	2,6	see Figure 3.4 for $f_{ck} \geq 50$ Mpa $\epsilon_{cu3}(\text{‰}) = 2,6 + 35[(90 - f_{ck}/100)]^4$	← Ultimate strain in concrete (fig . 3.4)

## Concrete / Betonul

**The modulus of elasticity of a concrete ( $E_{cm}$ ) is controlled by the moduli of elasticity of its components.**

→ secant value between  $\sigma_c = 0$  and  $0.4f_{cm}$

$$E_{cm} = 22000(f_{cm}/10)^{0.3}$$

**Variation of the modulus of elasticity with time:**

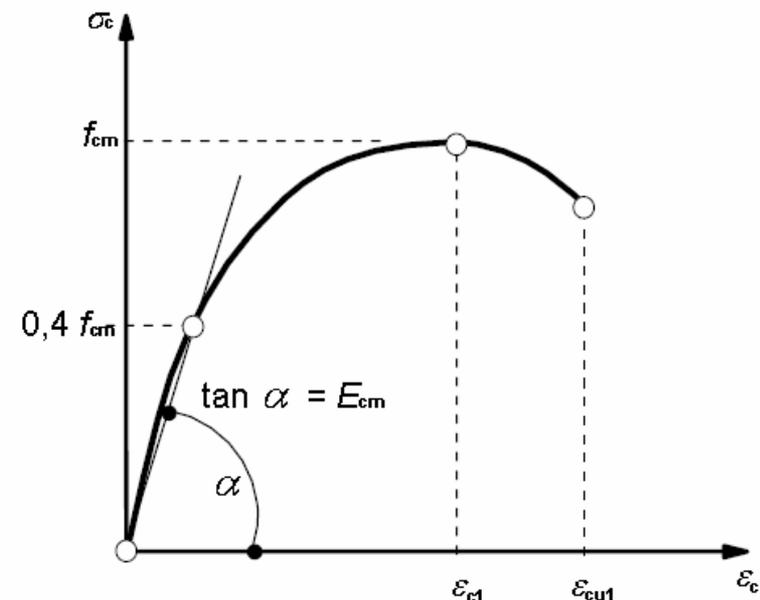
$$E_{cm}(t) = (f_{cm}(t)/f_{cm})^{0.3} \cdot E_{cm}$$

**Valid concretes with quartzite aggregates!**

*For limestone aggregates should be reduced by 10%*

*For sandstone aggregates should be reduced by 30%*

*For basalt aggregates should be increased by 20%.*



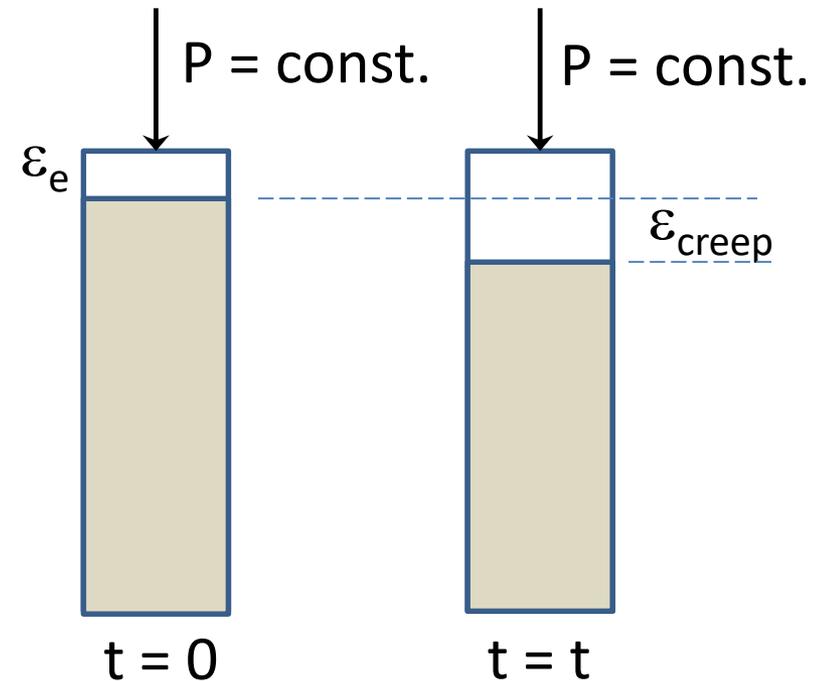
**Poisson's ratio** may be taken equal to

$$\begin{array}{ll} \nu = 0,2 & \text{for uncracked concrete} \\ \nu = 0 & \text{for cracked concrete} \end{array}$$

**The linear coefficient of thermal expansion** may be taken equal to  $10 \cdot 10^{-6} K^{-1}$ .

## CREEP OF THE CONCRETE

Creep coefficient  $\varphi = \frac{\varepsilon_{\text{creep}}}{\varepsilon_e}$



CEMENT HYDRATION → CRISTALS (elastic behavior) & GELS (viscous behavior)

## CREEP OF THE CONCRETE

→ Depends on the:

- Humidity of the environment: RH (%)
- Type of the cement: (curing rate): S - slow; N - normal; R - rapid
- Concrete strength:  $f_{ck}$
- Age of concrete at the time of loading:  $t_0$
- Dimensions of the element:

$h_0 = 2A_c/u$  - notional size (mm) of the cross-section

$A_c$  – concrete cross-sectional area

$u$  - the perimeter of that part which is exposed to drying

→ Creep is also influenced by the maturity of the concrete when the load is first applied and depends on the duration and magnitude of the loading.

Creep coefficient  $\varphi(t, t_0)$  is obtained from tables if  $\sigma_c \leq 0.45f_{ck}(t_0)$

↔ linear creep is expected

## Concrete / Betonul

## CREEP OF THE CONCRETE

$\varphi(\infty, t_0)$  - final creep coefficient

$t_0$  - age of the concrete at time of loading in days

$$h_0 = 2A_c/u$$

$A_c$  - concrete cross-sectional area

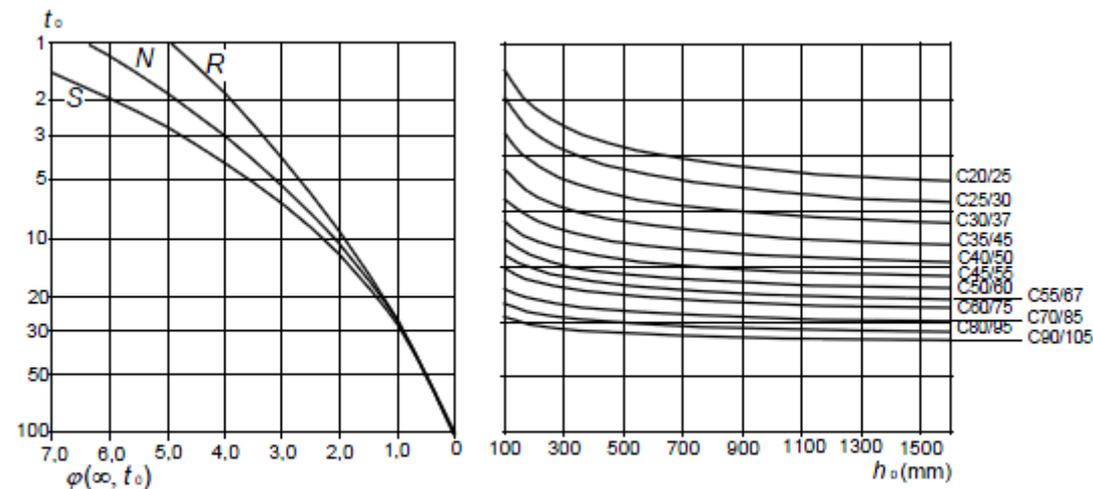
$u$  - perimeter of that part which is exposed to drying

S, N, R - cement types

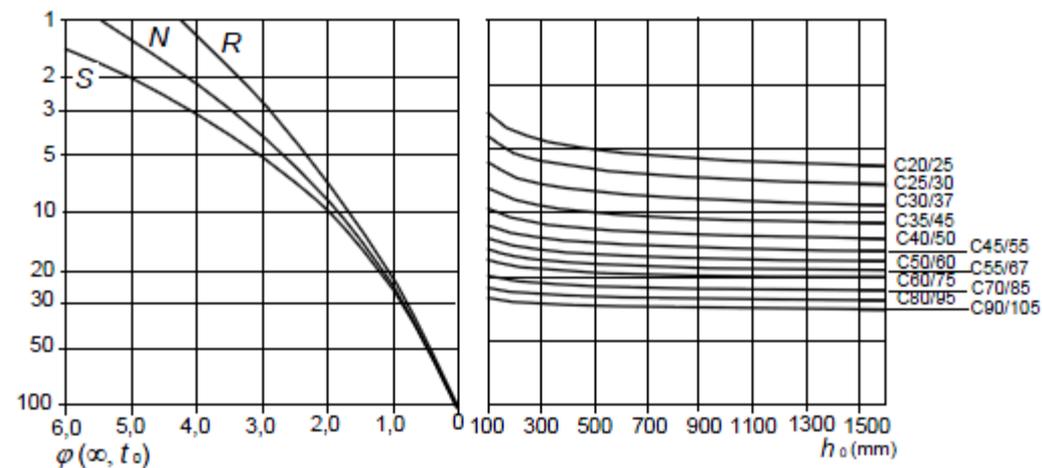
S - slow

N - normal

R - rapid



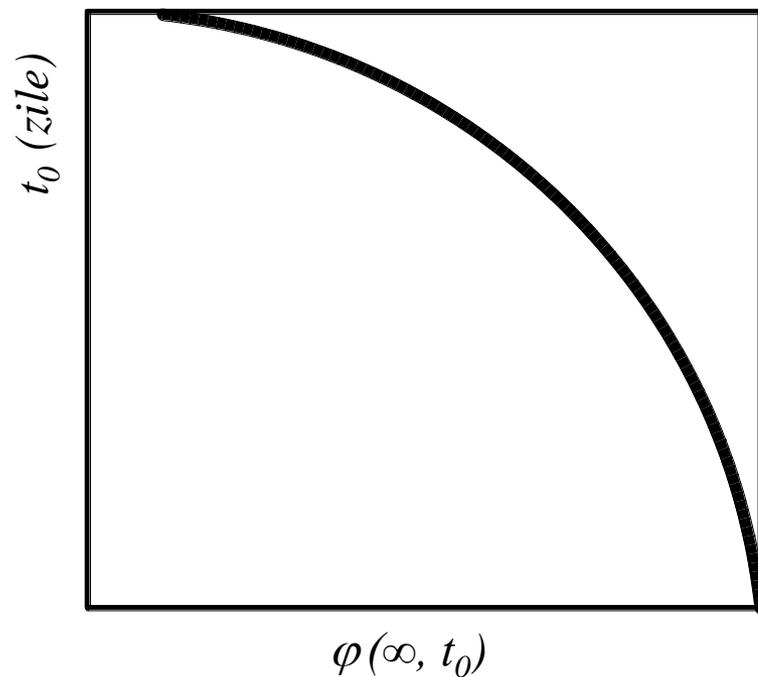
a) inside conditions - RH = 50%



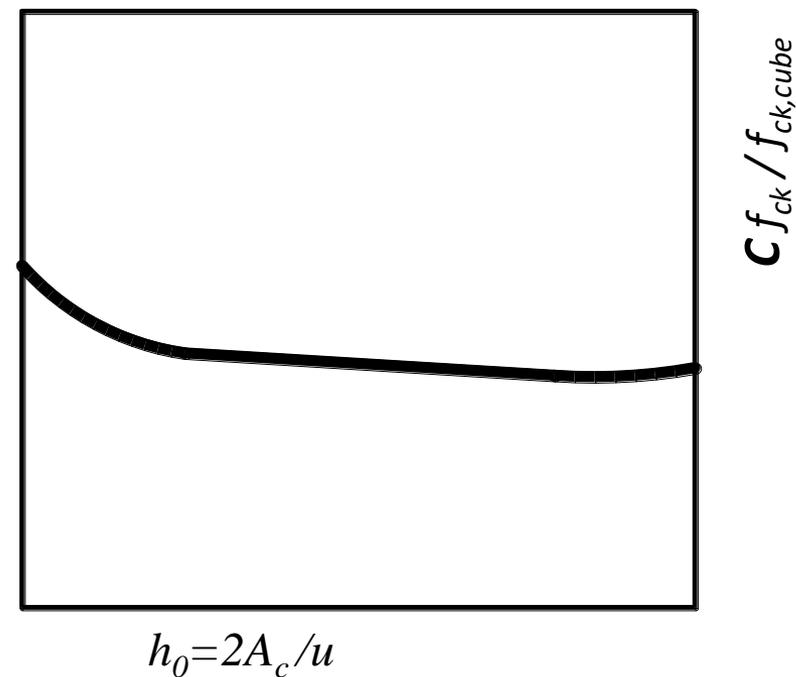
b) outside conditions - RH = 80%

Figure 3.1: Method for determining the creep coefficient  $\varphi(\infty, t_0)$  for concrete under normal environmental conditions

## CREEP OF THE CONCRETE - SR EN 1991-1-1



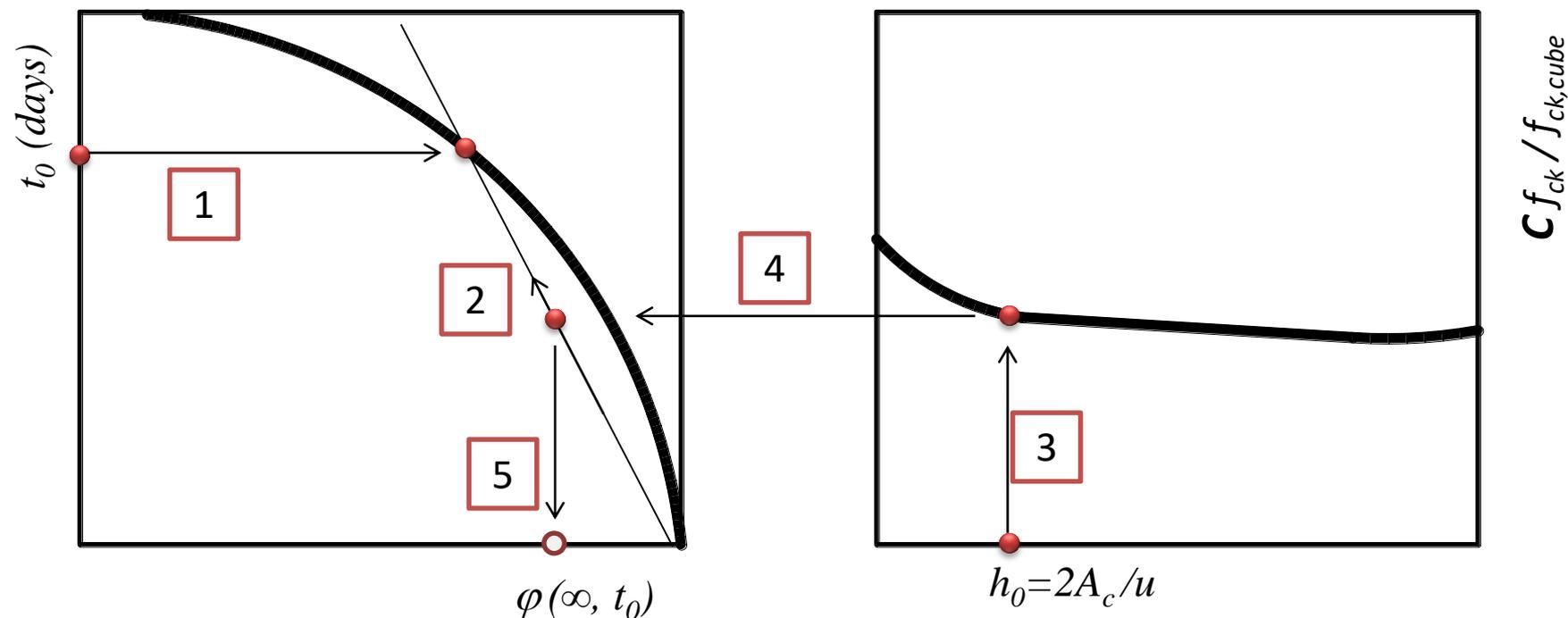
- choose of environmental conditions (RH=50% inside; RH=80% outside)
- Choose of cement type (N, R, S)



- Choose of concrete class
- Calculus of  $h_0$

→ Creep of concrete depends on **humidity** of the environment, **dimensions** of the element and **composition** of concrete + **age of concrete** at the time of loading and **duration** and **magnitude** of the loading.

## CREEP OF THE CONCRETE - SR EN 1991-1-1



1.  $t_0$  - age of the concrete at time of loading  
(in days)

2. Secant

3.  $h_0$  [mm]

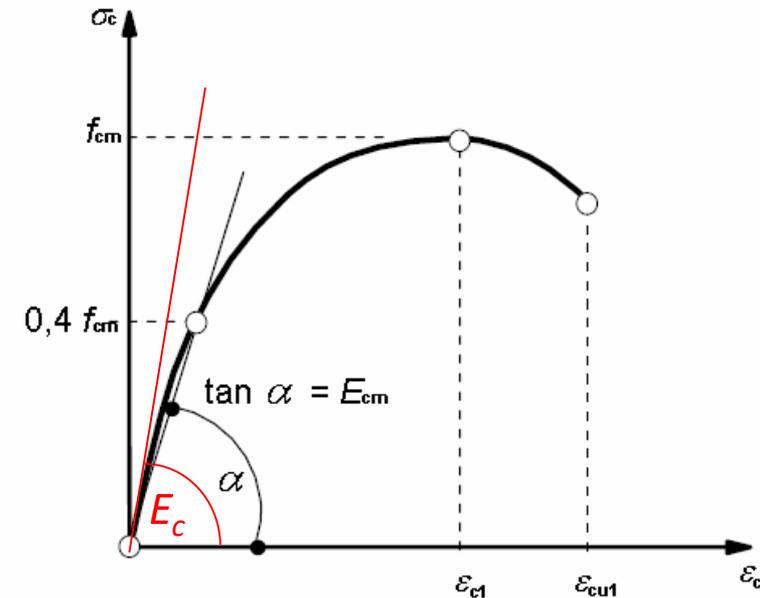
→ Creep of concrete depends on **humidity** of the environment, **dimensions** of the element and **composition** of concrete + **age of concrete** at the time of loading and **duration** and **magnitude** of the loading.

## Concrete / Betonul

The creep deformation of concrete  $\varepsilon_{cc}(\infty, t_0)$  at time  $t = \infty$  for a constant compressive stress  $\sigma_c$  applied at the concrete age  $t_0$  is:

$$\varepsilon_{cc}(\infty, t_0) = \varphi(\infty, t_0) \cdot (\sigma_c / E_c)$$

$$E_c = 1,05 E_{cm}$$



The effective modulus of elasticity of concrete under long term loads:

$$E_{c,eff} = \frac{E_{cm}}{1 + \varphi(\infty, t_0)}$$

## SHRINKAGE OF THE CONCRETE

The total shrinkage strain  $\varepsilon_{cs}$  is composed of two components:

1. the drying shrinkage strain  $\varepsilon_{cd}$  - develops slowly, since it is a function of the migration of the water through the hardened concrete.
2. the autogenous shrinkage strain  $\varepsilon_{ca}$  - develops during hardening of the concrete: the major part therefore develops in the early days after casting. Autogenous shrinkage is a linear function of the concrete strength.

$$\varepsilon_{cs} = \varepsilon_{cd} + \varepsilon_{ca}$$

## Concrete / Betonul

Drying shrinkage strain at an age  $t$ 

$$\varepsilon_{cd}(t) = \beta(t, t_s) \cdot k_h \cdot \varepsilon_{cd,0}$$

$$\beta_{ds}(t, t_s) = \frac{(t - t_s)}{(t - t_s) + 0,04\sqrt{h_0^3}}$$

$k_h$  = coefficient depending on the notional size  $h_0$

$$h_0 = 2A_c/u$$

$t$  - age of the concrete at the moment considered, in days

$t_s$  - the age of the concrete (days) at the beginning of drying shrinkage (or swelling)

Table 3.2 Nominal unrestrained drying shrinkage values  $\varepsilon_{cd,0}$  (in ‰) for concrete with cement CEM Class N

$f_{ok}/f_{ok,cube}$ (MPa)	Relative Humidity (in ‰)					
	20	40	60	80	90	100
20/25	0.62	0.58	0.49	0.30	0.17	0.00
40/50	0.48	0.46	0.38	0.24	0.13	0.00
60/75	0.38	0.36	0.30	0.19	0.10	0.00
80/95	0.30	0.28	0.24	0.15	0.08	0.00
90/105	0.27	0.25	0.21	0.13	0.07	0.00

$h_0$	$k_h$
100	1.0
200	0.85
300	0.75
$\geq 500$	0.70

**Autogenous shrinkage  $\varepsilon_{ca}$** 

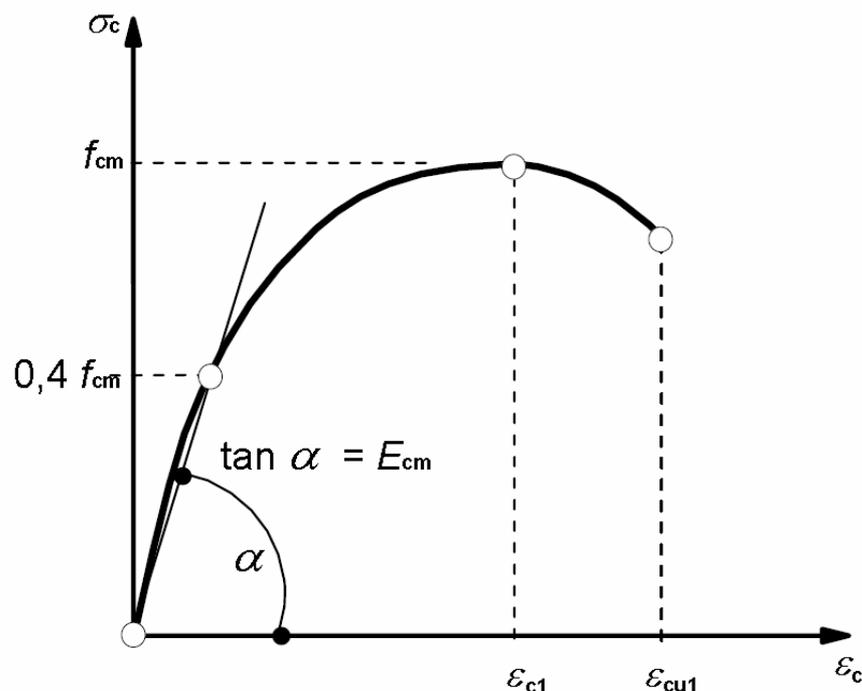
$$\varepsilon_{ca}(t) = \beta_{as}(t) \cdot \varepsilon_{ca}(\infty)$$

Where

$$\varepsilon_{ca}(\infty) = 2.5(f_{ck} - 10)10^{-6}$$

$$\beta_{as}(t) = 1 - \exp(-0.2t^{0.5})$$

# CONCRETE STRESS-STRAIN DIAGRAM - non-linear structural analysis



$$\frac{\sigma_c}{f_{cm}} = \frac{k\eta - \eta^2}{1 + (k-2)\eta}$$

where:

$$\eta = \epsilon_c / \epsilon_{c1}$$

$\epsilon_{c1}$  is the strain at peak stress

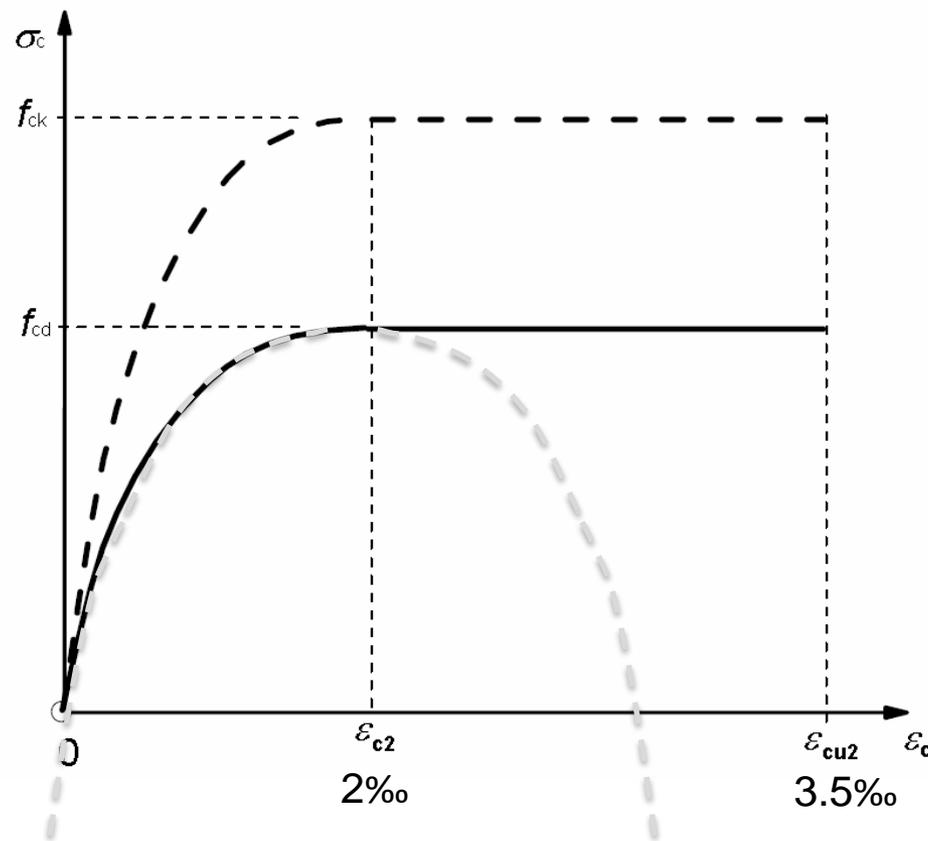
$$k = 1,05 E_{cm} \times |\epsilon_{c1}| / f_{cm}$$

always 3,5 % for concrete  $\leq$  C50/60

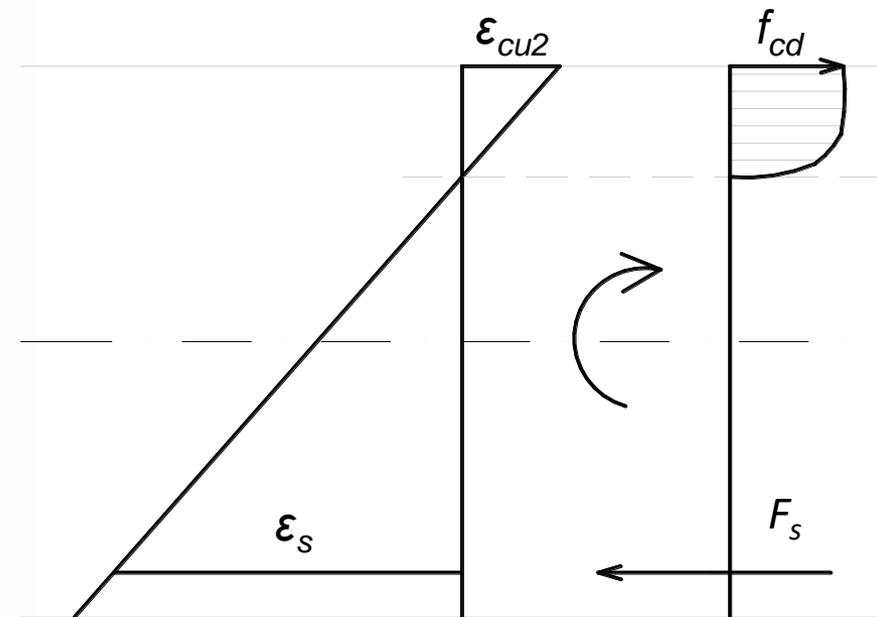
## Concrete / Betonul

# CONCRETE STRESS-STRAIN DIAGRAM - design of cross-sections

## 1. Parabola-rectangle diagram for concrete under compression



→ Valid for  $\leq$  C50/60



$$\sigma_c = f_{cd} \left[ 1 - \left( 1 - \frac{\varepsilon_c}{\varepsilon_{cd}} \right)^n \right] \quad \text{pentru } 0 \leq \varepsilon_c \leq \varepsilon_{cd}$$

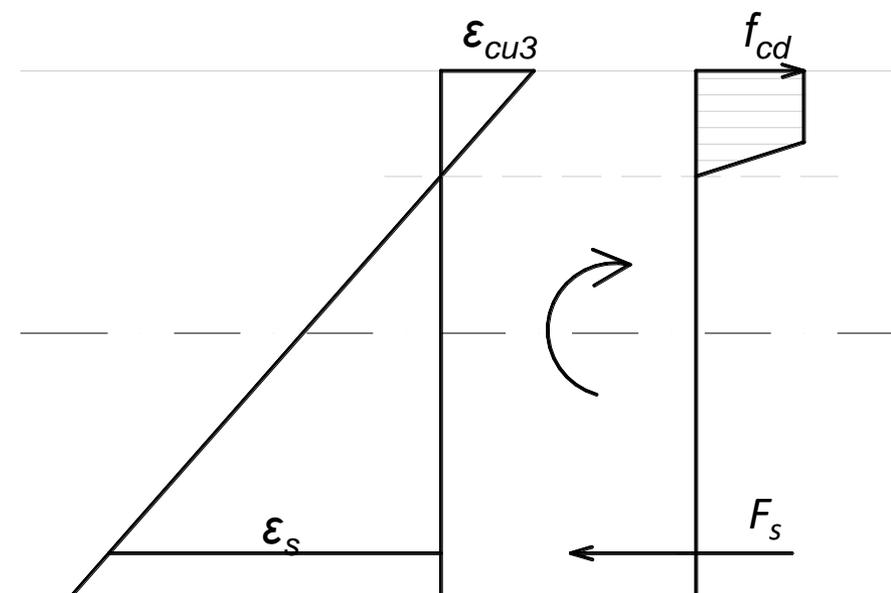
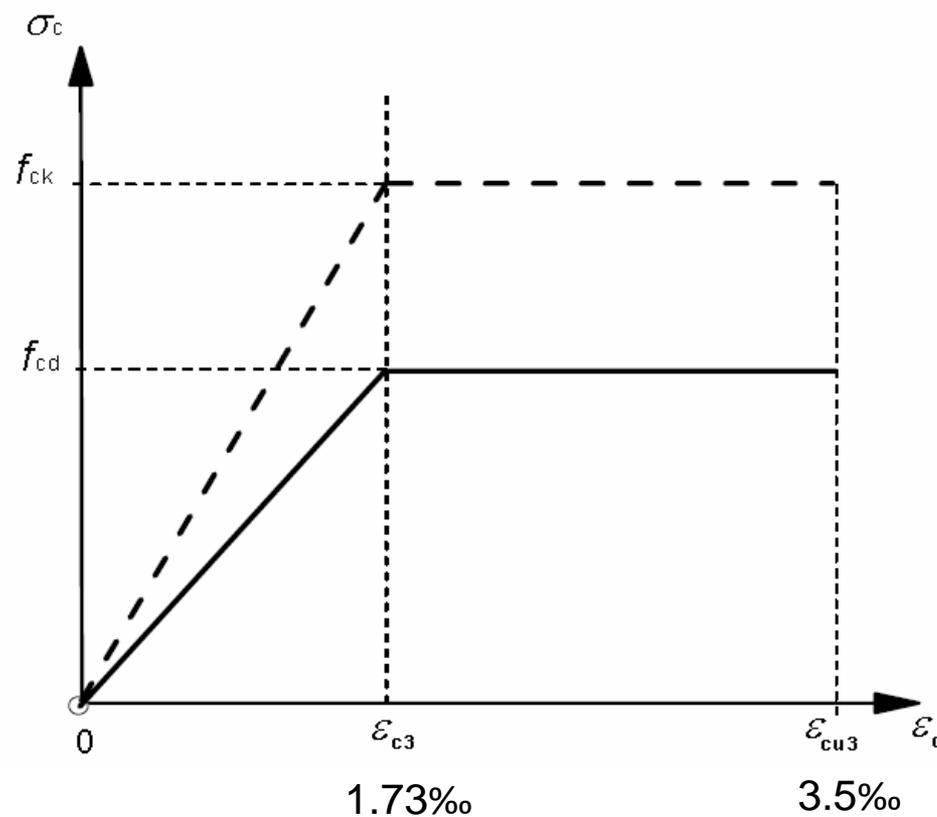
$$\sigma_c = f_{cd} \quad \text{pentru } \varepsilon_{cd} \leq \varepsilon_c \leq \varepsilon_{cu2}$$

$$n = 2 \quad \text{for } \leq \text{C50/60}$$

## Concrete / Betonul

# CONCRETE STRESS-STRAIN DIAGRAM - design of cross-sections

## 2. Bi-linear stress-strain relation

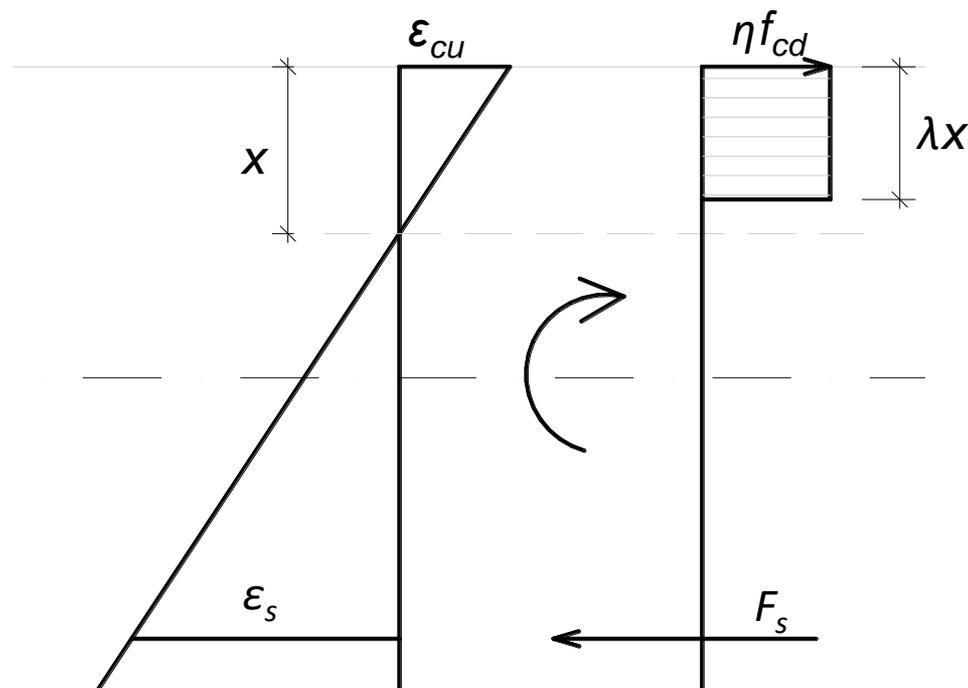


→ Valid for  $\leq C50/60$

## Concrete / Betonul

# CONCRETE STRESS-STRAIN DIAGRAM - design of cross-sections

## 2. Bi-linear stress-strain relation $\rightarrow$ simplified (rectangular) stress distribution



*In usual cases*

$$\lambda = 0,8$$

$$\eta = 1,0$$

$\rightarrow$  Valid for  $\leq$  C50/60

$$\lambda = 0,8 \quad \text{for } f_{ck} \leq 50 \text{ MPa}$$

$$\lambda = 0,8 - (f_{ck} - 50)/400 \quad \text{for } 50 < f_{ck} \leq 90 \text{ MPa}$$

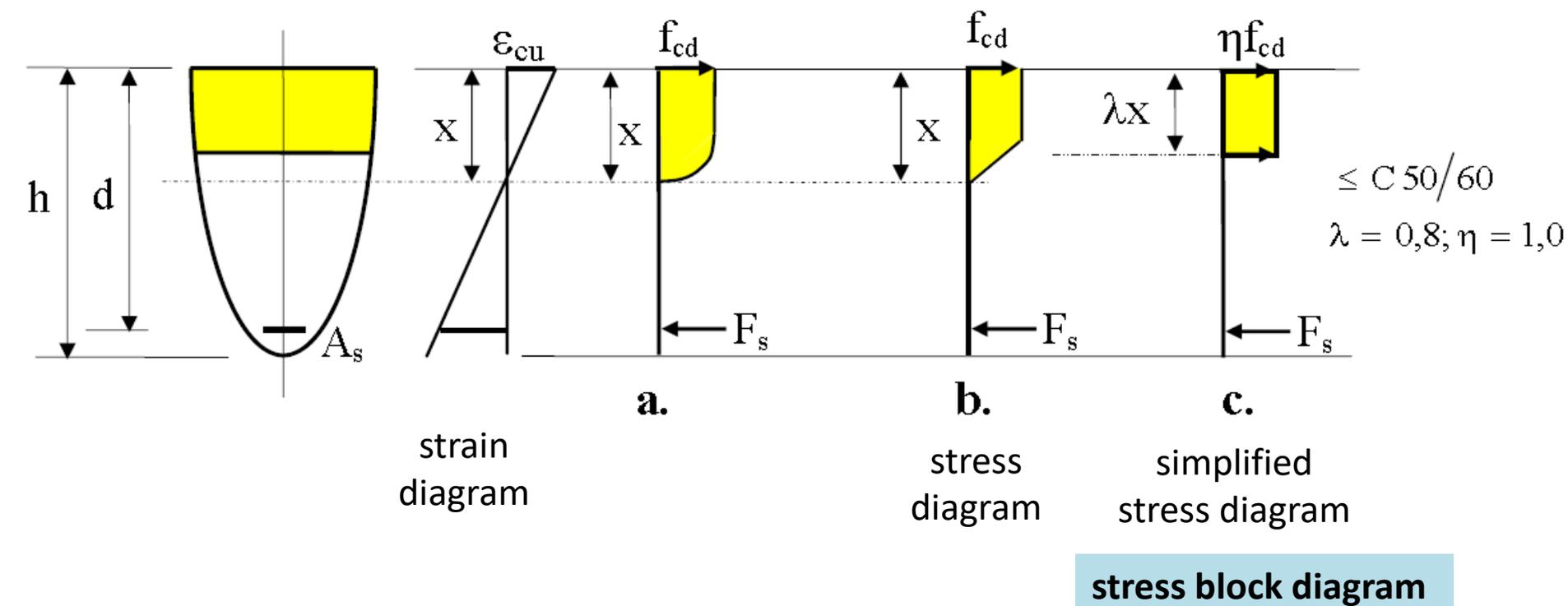
and

$$\eta = 1,0 \quad \text{for } f_{ck} \leq 50 \text{ MPa}$$

$$\eta = 1,0 - (f_{ck} - 50)/200 \quad \text{for } 50 < f_{ck} \leq 90 \text{ MPa}$$

## Concrete / Betonul

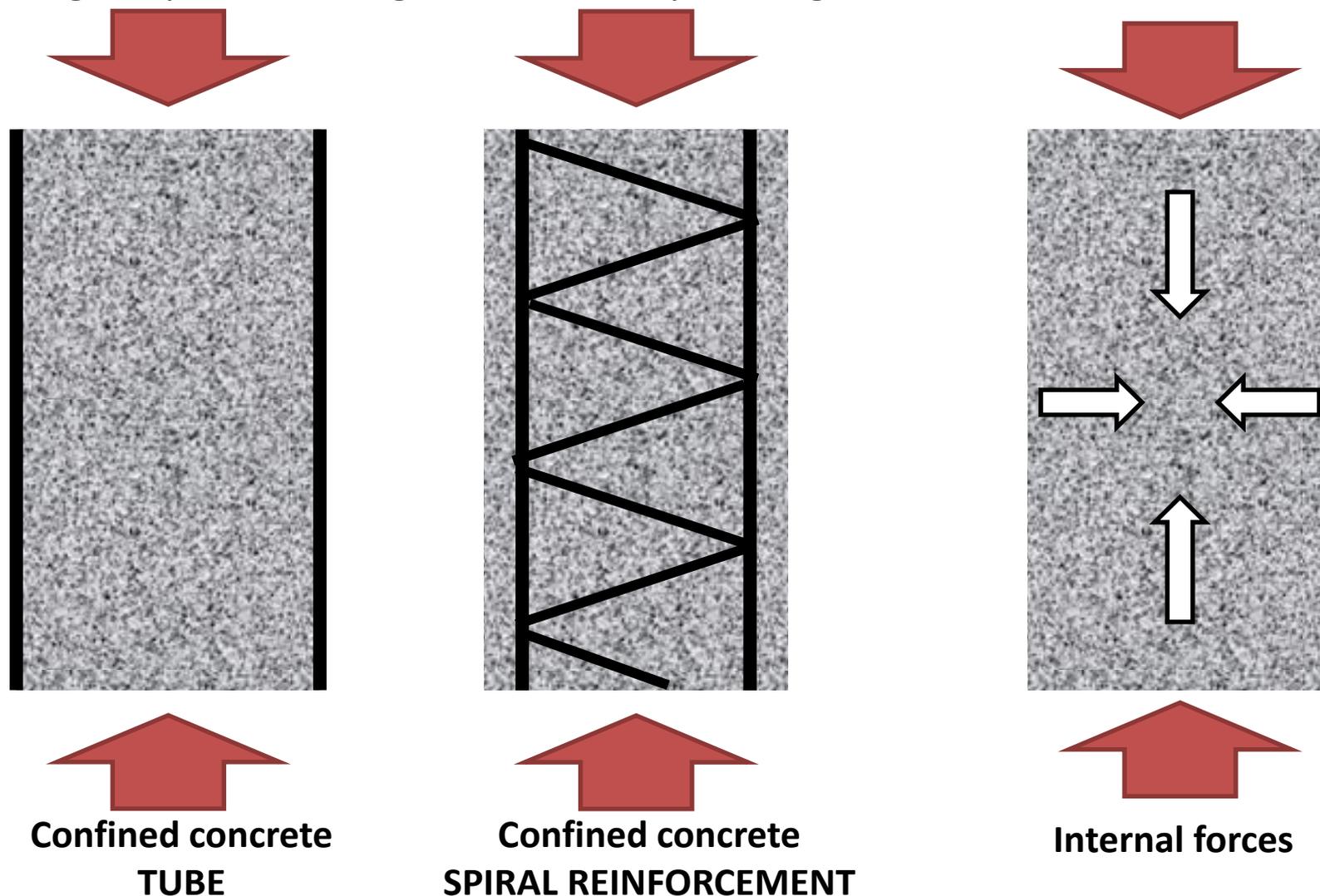
## CONCRETE STRESS-STRAIN DIAGRAMS



## Concrete / Betonul

**CONFINED CONCRETE**

→ increasing compressive strength of concrete by creating **triaxial stress**

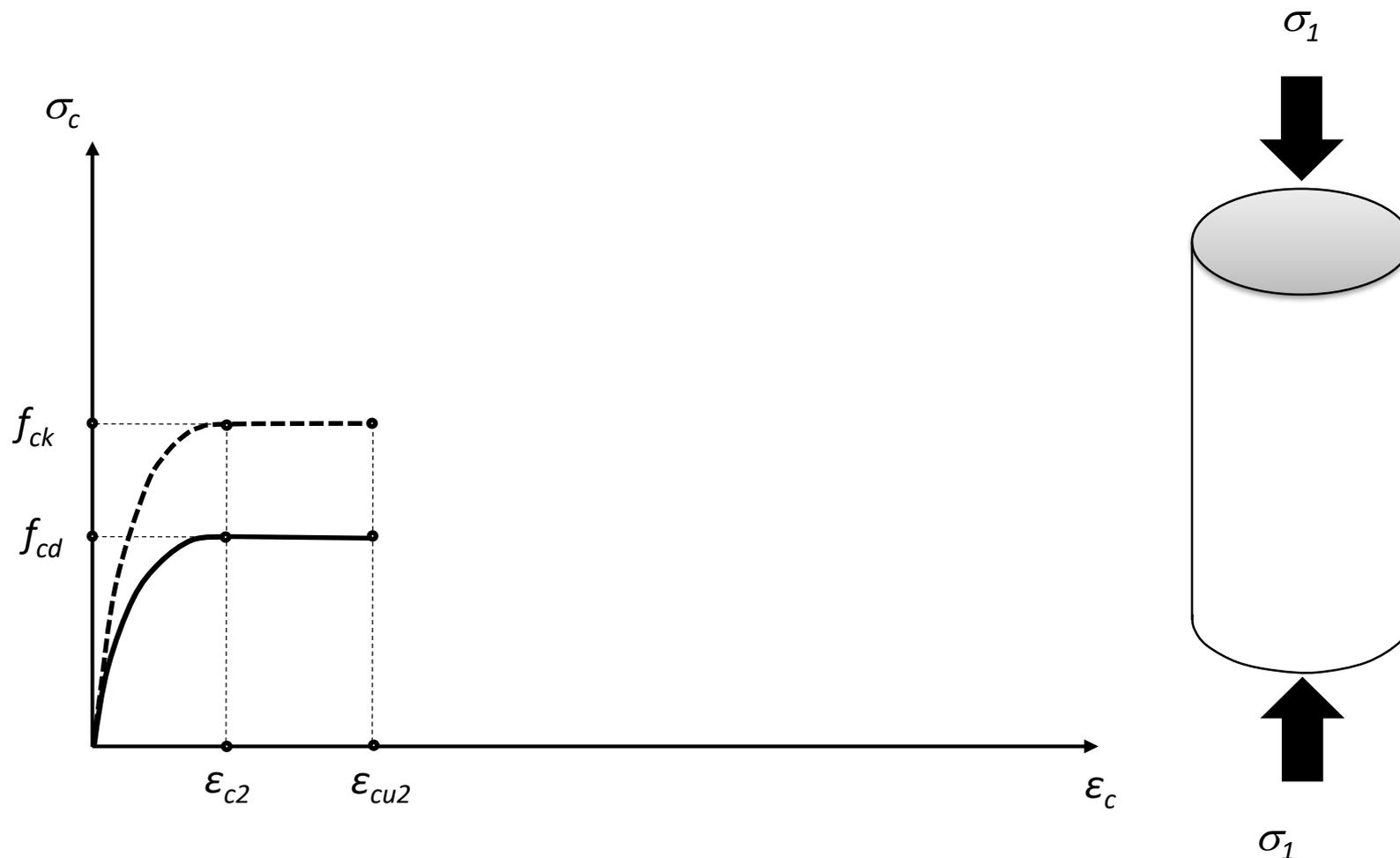


## Concrete / Betonul

**CONFINED CONCRETE**

→ increasing compressive strength of concrete by creating **triaxial stress**

→ Increasing the characteristic compressive stresses to  $f_{ck,c}$  and the deformations to  $\epsilon_{cu2,c}$

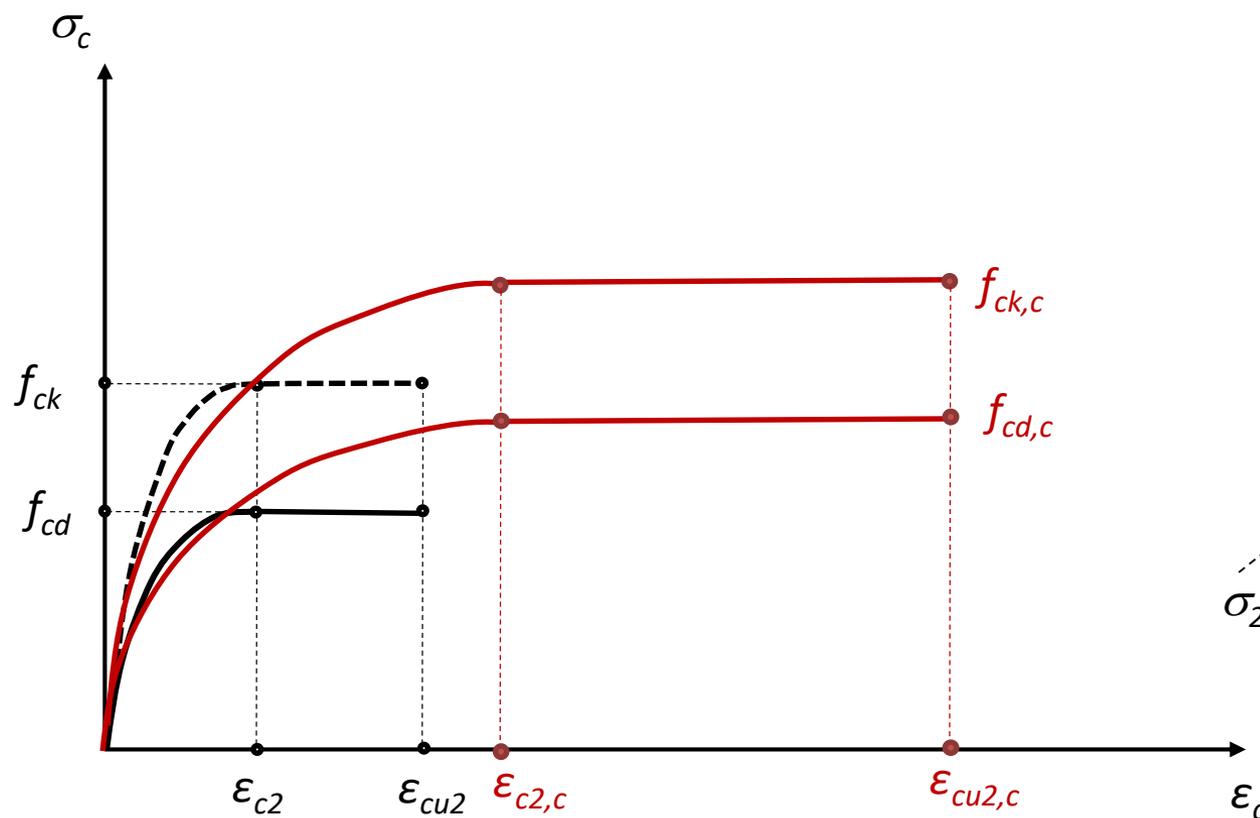


## Concrete / Betonul

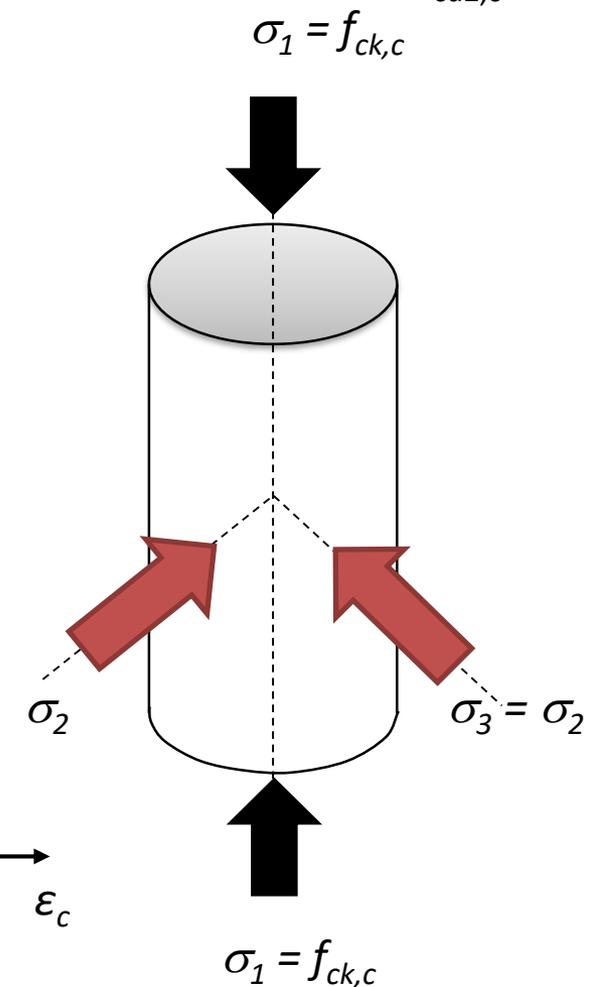
**CONFINED CONCRETE**

→ increasing compressive strength of concrete by creating **triaxial stress**

→ Increasing the characteristic compressive stresses to  $f_{ck,c}$  and the deformations to  $\epsilon_{cu2,c}$



$\sigma_2 = \sigma_3$  – compressive stresses, perpendicular to element axis

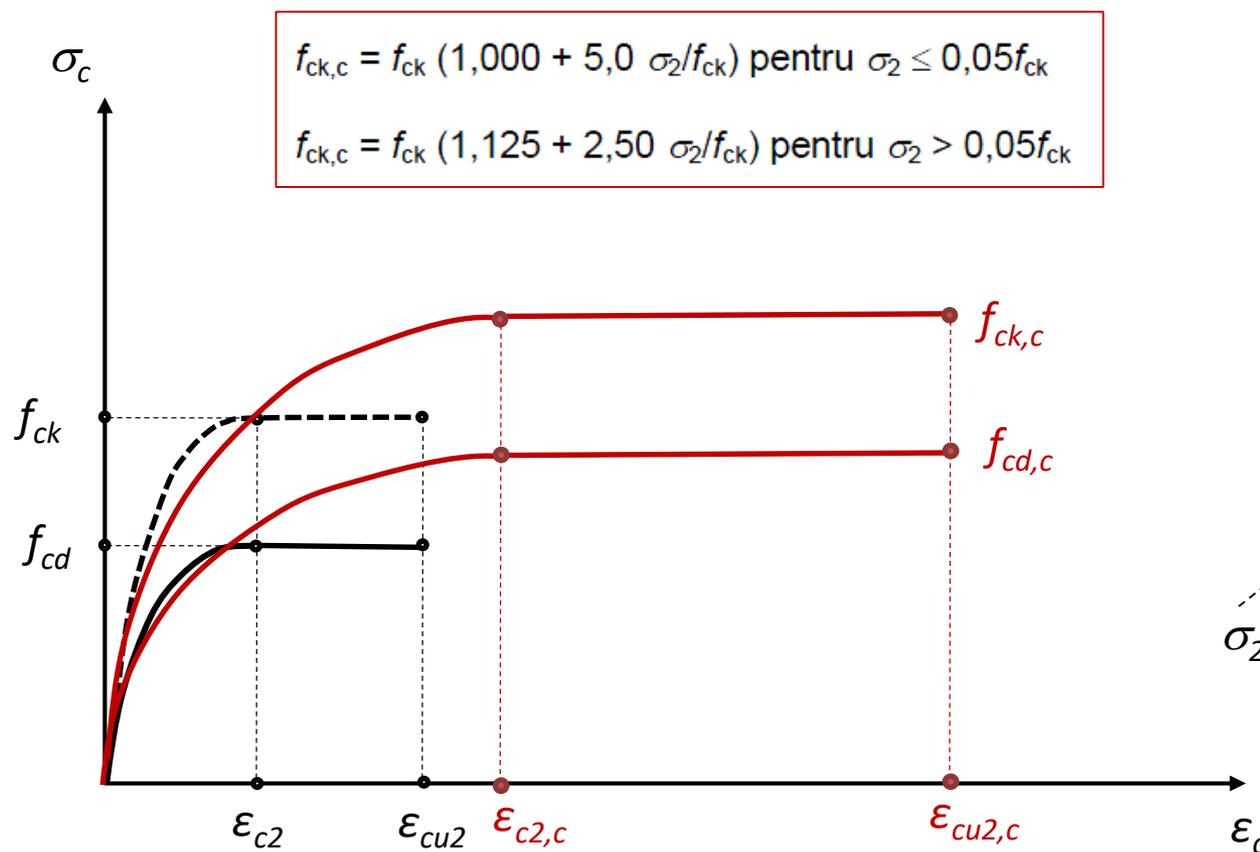


## Concrete / Betonul

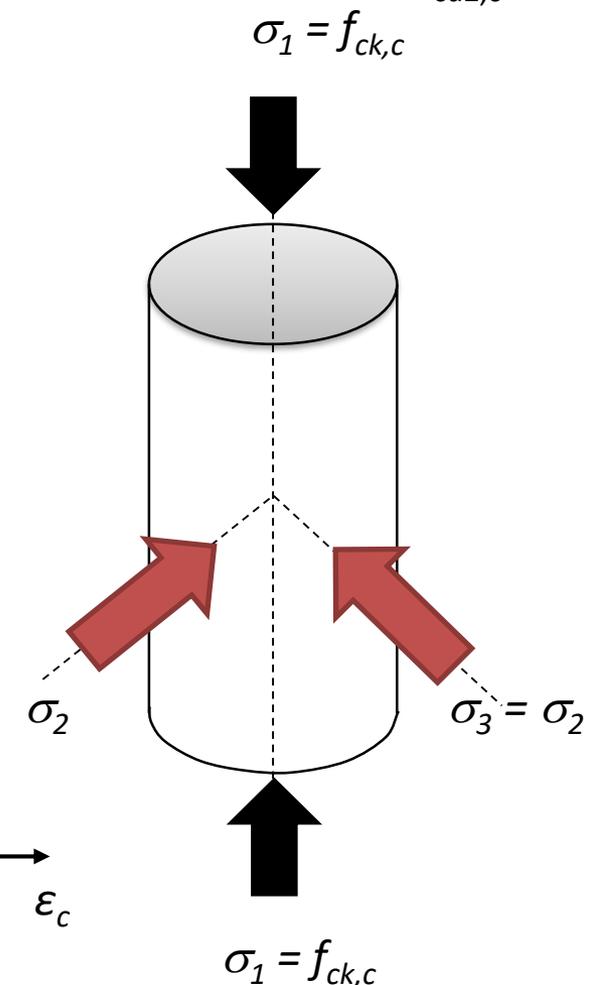
## CONFINED CONCRETE

→ increasing compressive strength of concrete by creating **triaxial stress**

→ Increasing the characteristic compressive stresses to  $f_{ck,c}$  and the deformations to  $\epsilon_{cu2,c}$



$\sigma_2 = \sigma_3$  – compressive stresses, perpendicular to element axis

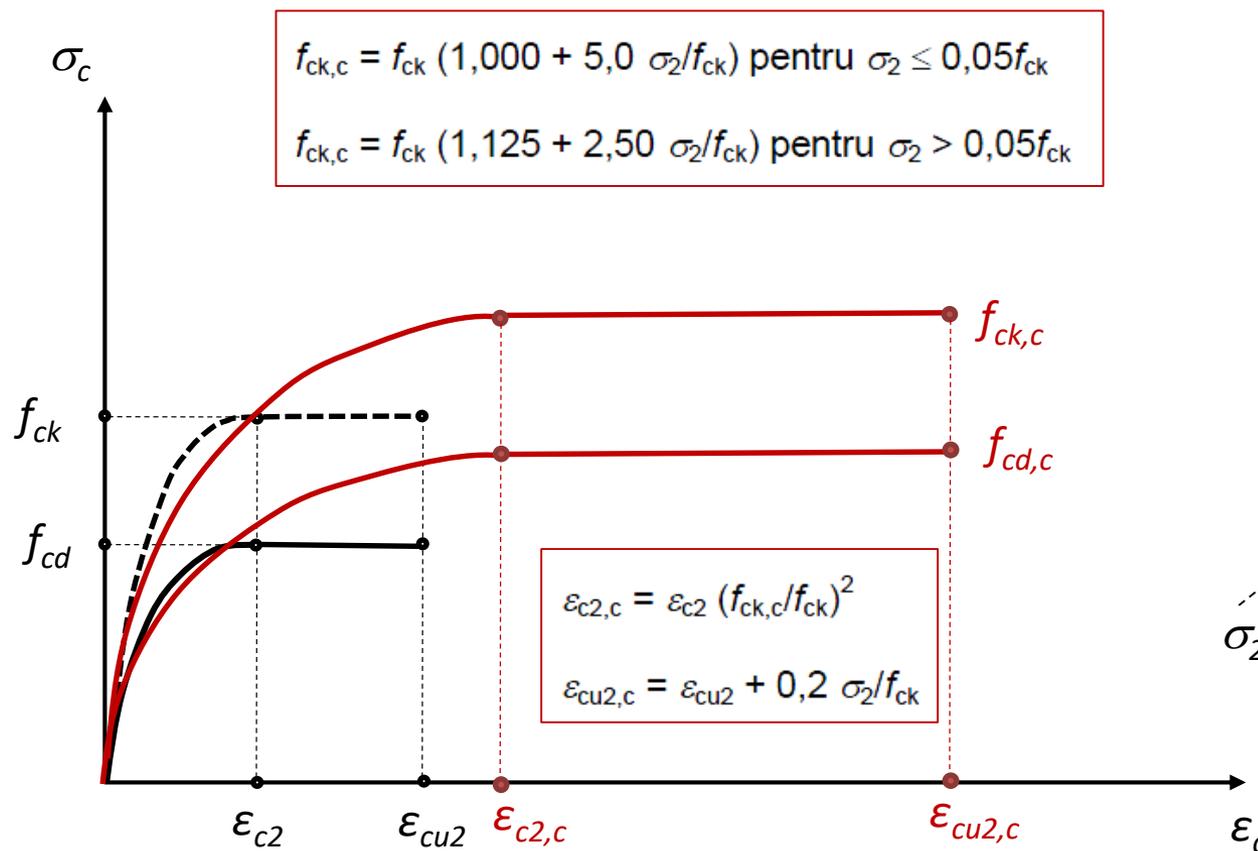


## Concrete / Betonul

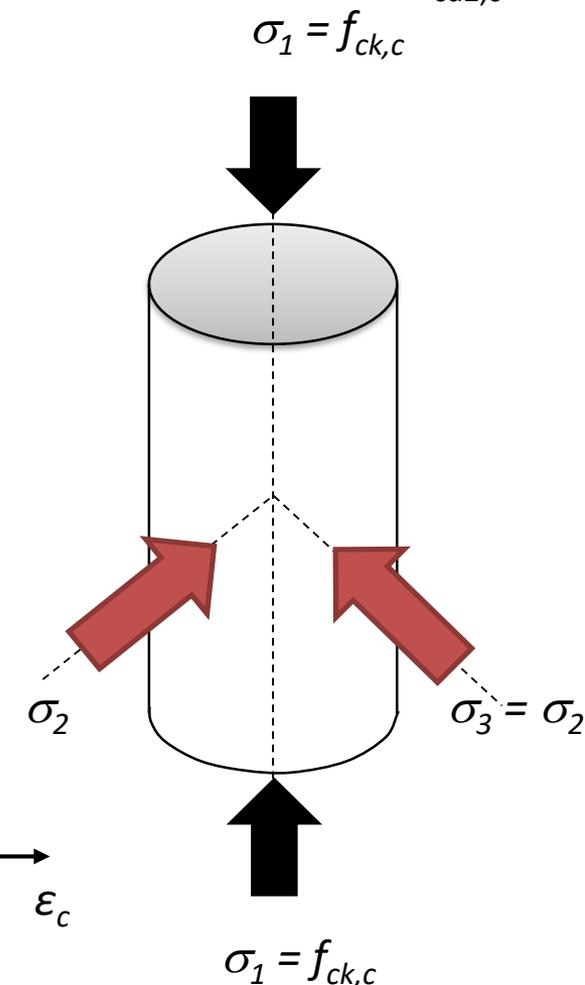
## CONFINED CONCRETE

→ increasing compressive strength of concrete by creating **triaxial stress**

→ Increasing the characteristic compressive stresses to  $f_{ck,c}$  and the deformations to  $\varepsilon_{cu2,c}$



$\sigma_2 = \sigma_3$  – compressive stresses, perpendicular to element axis

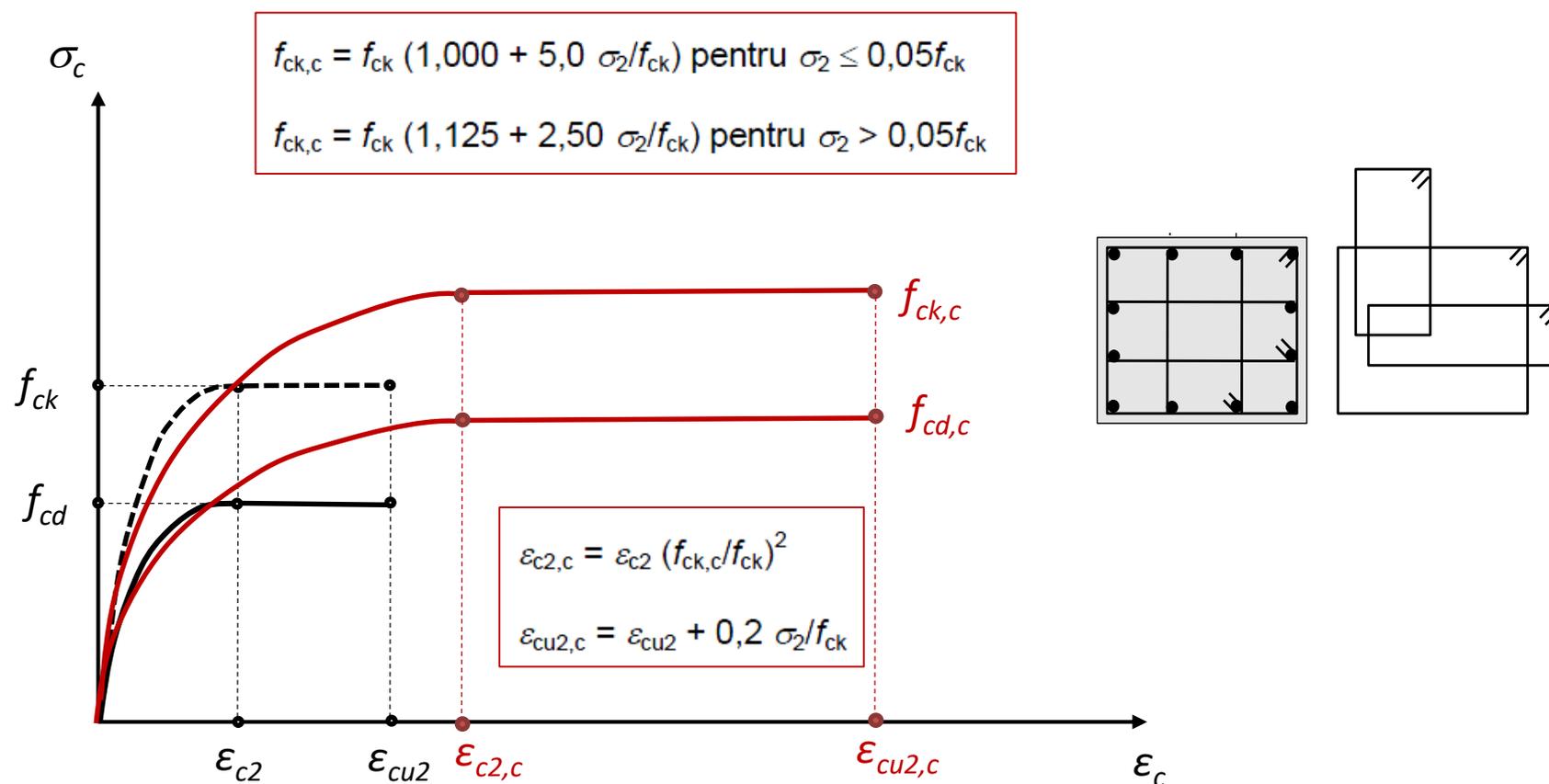


## Concrete / Betonul

# CONFINED CONCRETE

→ increasing compressive strength of concrete by creating **triaxial stress**

→ Increasing the characteristic compressive stresses to  $f_{ck,c}$  and the deformations to  $\epsilon_{cu2,c}$



$\sigma_2 = \sigma_3$  – compressive stresses, perpendicular to element axis

## 6.1 DESIGN CHARACTERISTICS OF CONCRETE

# 6.2 DESIGN CHARACTERISTICS OF STEEL REINFORCEMENT

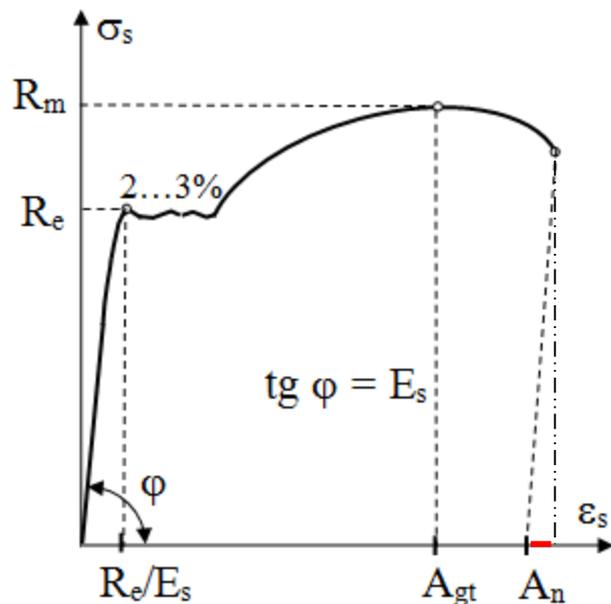
## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

### Strength criteria:

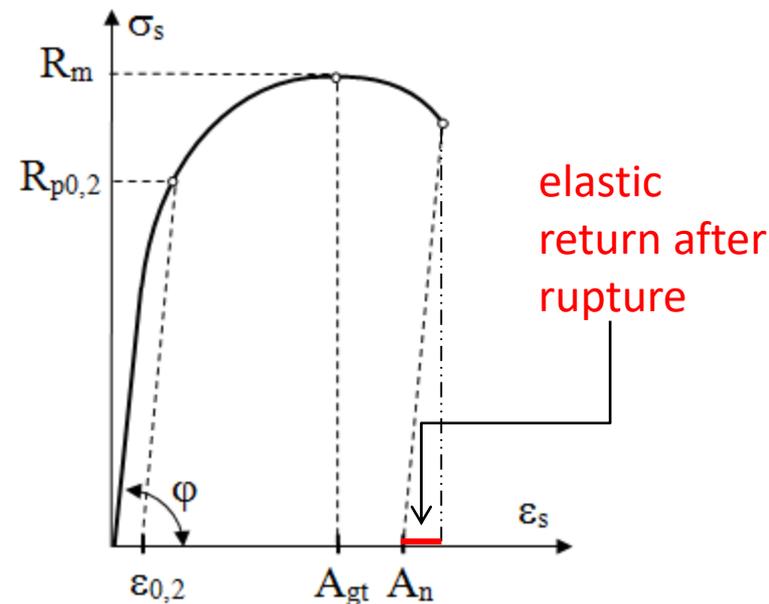
- Characteristic yield strength  $f_{yk}$  or  $f_{0,2k}$
- Upper limit of the strength  $f_{y,max} \leq 1,3 f_{yk}$
- Characteristic tensile strength ( $f_{tk}$ )
- Fatigue

## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

Symbols according to the technical specification ST009-2011 & steel producers



Hot rolled steel



Cold worked steel

$R_e$  – natural yield strength

$R_{p0,2}$  – conventional yield strength

$f_{yk}$

$R_m$  – tensile strength  $\longrightarrow$   $f_t$

$A_{gt}$  – total elongation corresponding to maximum force

$A_n$  – elongation after rupture (plastic deformation)

Note: is not acceptable to have  $A_n < A_{gt}$  (ductility problem)

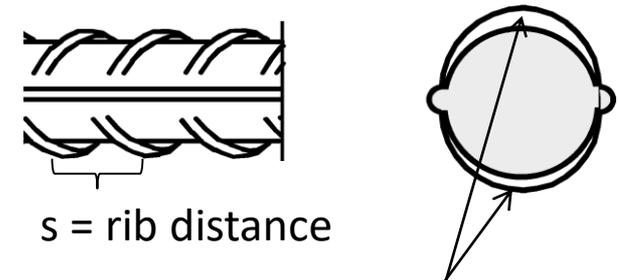
## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

### Ductility criteria:

- characteristic value of  $k = (f_t/f_y)_k$
- characteristic value of  $\varepsilon_{uk}$
- resistance to bending-unbending and weldability

- rib factor (bond)  $f_R = A_R/(\pi d_{nom} s)$

$\phi$	$f_{Rmin}$
5...6	0.035
6.5...12	0.040
>12	0.056



where  $s =$  rib distance

$A_R =$  relative rib area

$f_R \geq f_{Rmin} \rightarrow$  for high bond strength steel

$f_R < f_{Rmin} \rightarrow$  for plain bars

## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

### Fatigue

→ Dynamic cycles leads to decreasing of strength

→ Dynamic cycles may be characterized by:

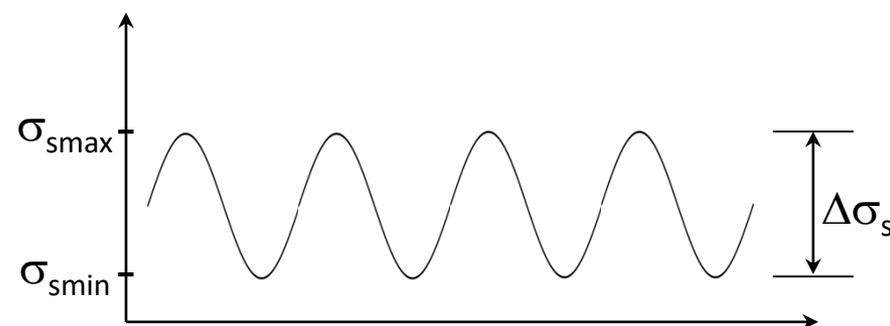
- Coefficient of asymmetry

$$\rho = \frac{\sigma_{smin}}{\sigma_{smax}}$$

- Amplitude (range of stress)

$$\Delta\sigma_s = \sigma_{smax} - \sigma_{smin}$$

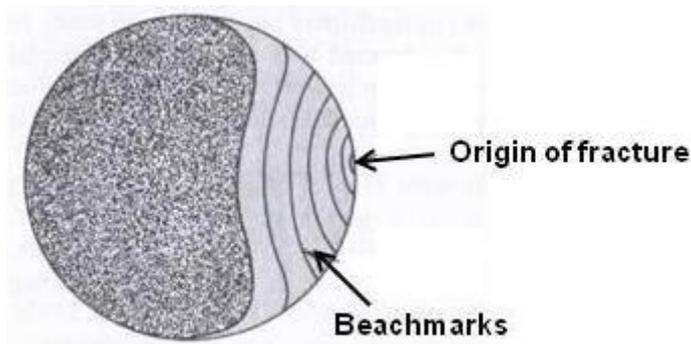
Product form		Bars and de-coiled rods			Wire Fabrics		
Class		A	B	C	A	B	C
Fatigue stress range (MPa) (for $N \geq 2 \times 10^6$ cycles) with an upper limit of $\beta f_{yk}$		$\geq 150$			$\geq 100$		
Bond:	Nominal bar size (mm)						
Minimum relative rib area, $f_{R,min}$	5 - 6 6,5 to 12 > 12				0,035 0,040 0,056		



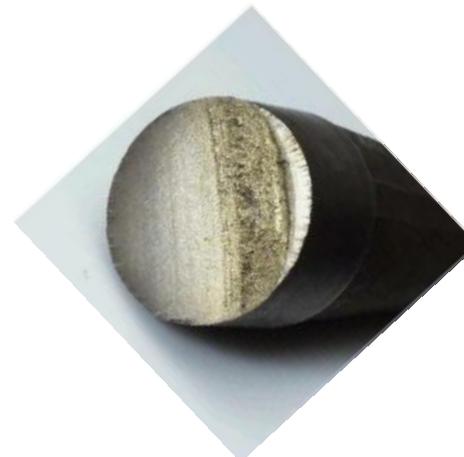
## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

**Fatigue strength** depends on:

- range of stress, whatever are  $\sigma_{smin}$  &  $\sigma_{smax}$
- welds
- steel quality:
  - grade
  - manner of storage (fatigue strength of reinforcement in real elements is smaller with 40 ... 70% than in laboratory testings due to local damages, e.g. corrosion, scratches, etc.)



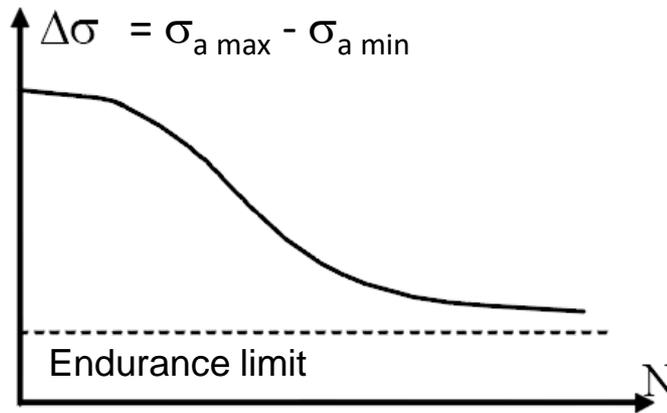
Fatigue Fracture with Beachmarks



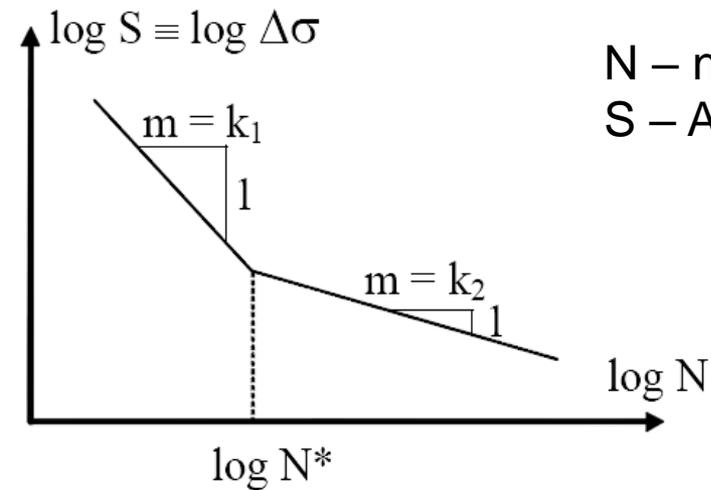
## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

### Fatigue

Behaviour of steel under fatigue load:



Wöhler diagram  
→ real behaviour



$N$  – no. of cycles  
 $S$  – Amplitude

S-N curve  
→ in codes

When  $\Delta\sigma$  does not exceed a certain value, called limit amplitude or endurance limit, the material will resist unlimited in time during the  $N$  loading / unloading cycles.

## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

### Fatigue

Condition for bars & de-coiled rods:

$$\Delta\sigma_{s,max} \leq 70 \text{ MPa}$$

## PERFORMANCE CRITERIA FOR STEEL REINFORCEMENTS

### Other criteria:

- Ability to be bent
- Bond characteristics ( $f_R$ )
- Sectional dimensions and tolerances
- Fatigue strength with upper limit of  $\beta f_{yk}$  for  $N \geq 2 \times 10^6$  cycles
- Weldability
- Shear strength (at least  $0.3 A f_{yk}$ )
- Weld resistance for welded fabrics and cages

## Steel / Oțelul

Table C.1: Properties of reinforcement

Product form	Bars and de-coiled rods			Wire Fabrics			Requirement or quantile value (%)
	A	B	C	A	B	C	
Class	A	B	C	A	B	C	-
Characteristic yield strength $f_{yk}$ or $f_{0,2k}$ (MPa)	400 to 600						5,0
Minimum value of $k = (f_t/f_y)_k$	$\geq 1,05$	$\geq 1,08$	$\geq 1,15$ $< 1,35$	$\geq 1,05$	$\geq 1,08$	$\geq 1,15$ $< 1,35$	10,0
Characteristic strain at maximum force, $\varepsilon_{uk}$ (%)	$\geq 2,5$	$\geq 5,0$	$\geq 7,5$	$\geq 2,5$	$\geq 5,0$	$\geq 7,5$	10,0
Bendability	Bend/Rebend test			-			
Shear strength	-			$0,3 A f_{yk}$ (A is area of wire)			Minimum
Maximum deviation from nominal mass (individual bar or wire) (%)	Nominal bar size (mm)						5,0
	$\leq 8$	$> 8$		$\pm 6,0$	$\pm 4,5$		

## Steel / Oțelul

## Products used as reinforcement in Romania

Commercial denomination	Equivalent denomination	Nominal diameter (mm)	Minimal characteristic values		
			Yielding limit $f_{yk}$ [Mpa]	Tensile strength $f_{tk}$ [Mpa]	Elongation at failure $A_5$ [%]
OB37	S255	6...12	255	360	25
	S235	14...40	235		
PC52	S355	6...14	355	510	20
	S345	16...28	345		
	S335	32...40	335		
PC60	S420	6...12	420	590	16
	S405	14...28	405		
	S395	32...40	395		

low quality steel

## Steel / Oțelul

### Modulus of elasticity

$$E_s = 200000 \text{ MPa}$$

$$\text{Density} = 7850 \text{ kg/m}^3$$

**The reference value is characteristic strength steel for strength**

$f_{yk} = f_y$  - apparent value of the yield limit

$f_{yk} = f_{0,2}$  - conventional yield strength limit

### Design strength of the steel

$$f_{yd} = \frac{f_{yk}}{\gamma_s}$$

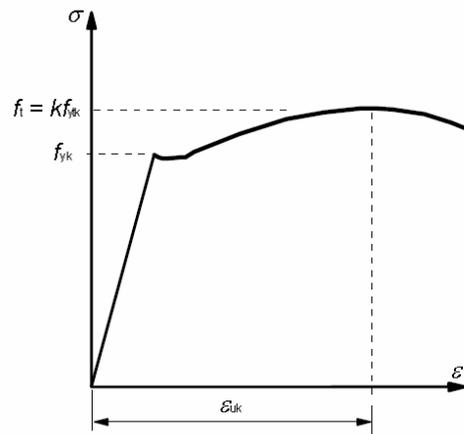
## Steel / Oțelul

The reinforcement shall have adequate ductility as defined by the ratio of tensile strength to the yield stress,  $(f_t/f_y)_k$  and the elongation at maximum force,  $\varepsilon_{uk}$

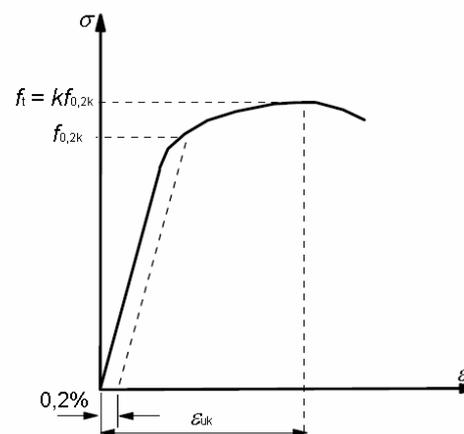
**Class A** – generally low diameters (< 12mm), used in welded fabrics : *low ductility*

**Class B** – most commonly used in RC elements: *medium ductility (DCL & DCM)*

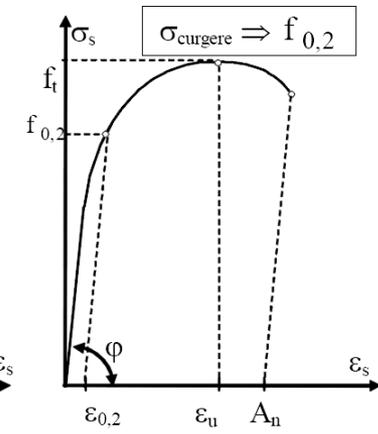
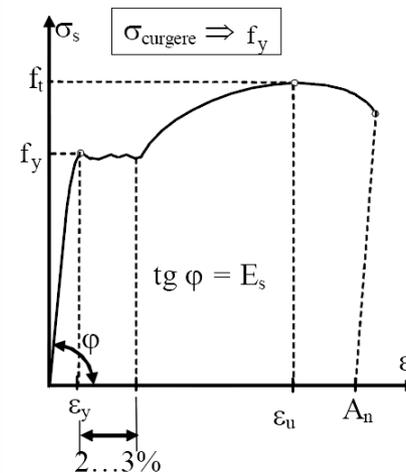
**Class C** – *high ductility*, used in earthquake resistance structures (*DCH*)



a) Hot rolled steel

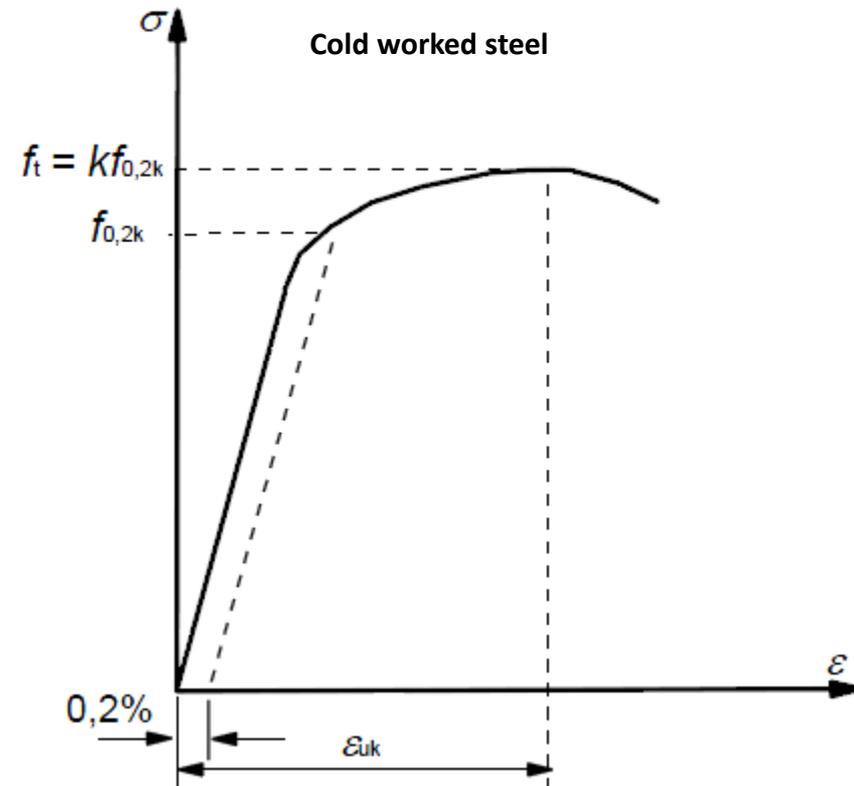
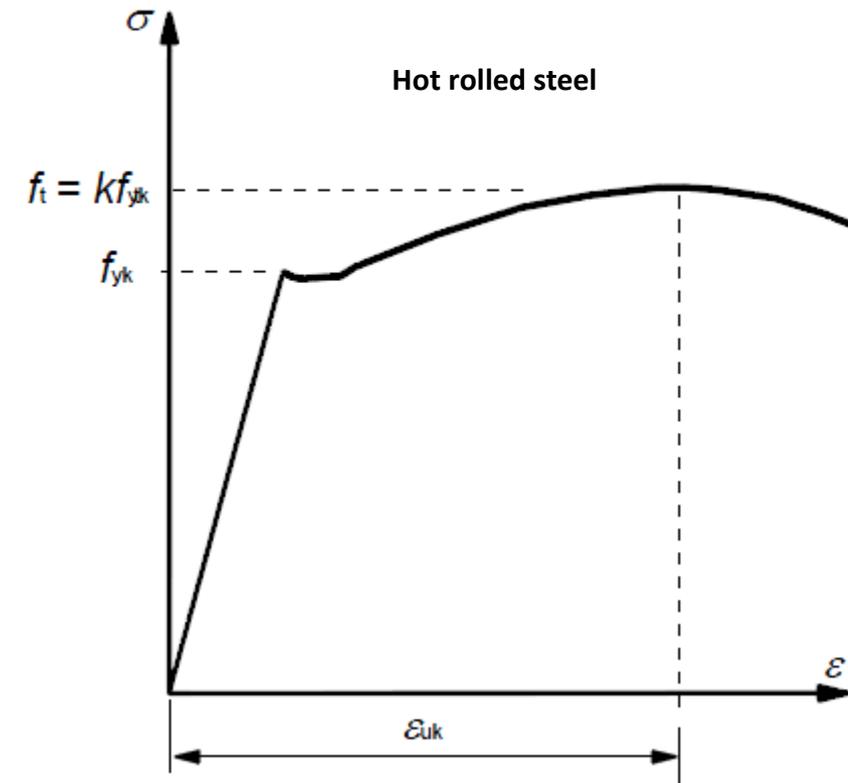


b) Cold worked steel



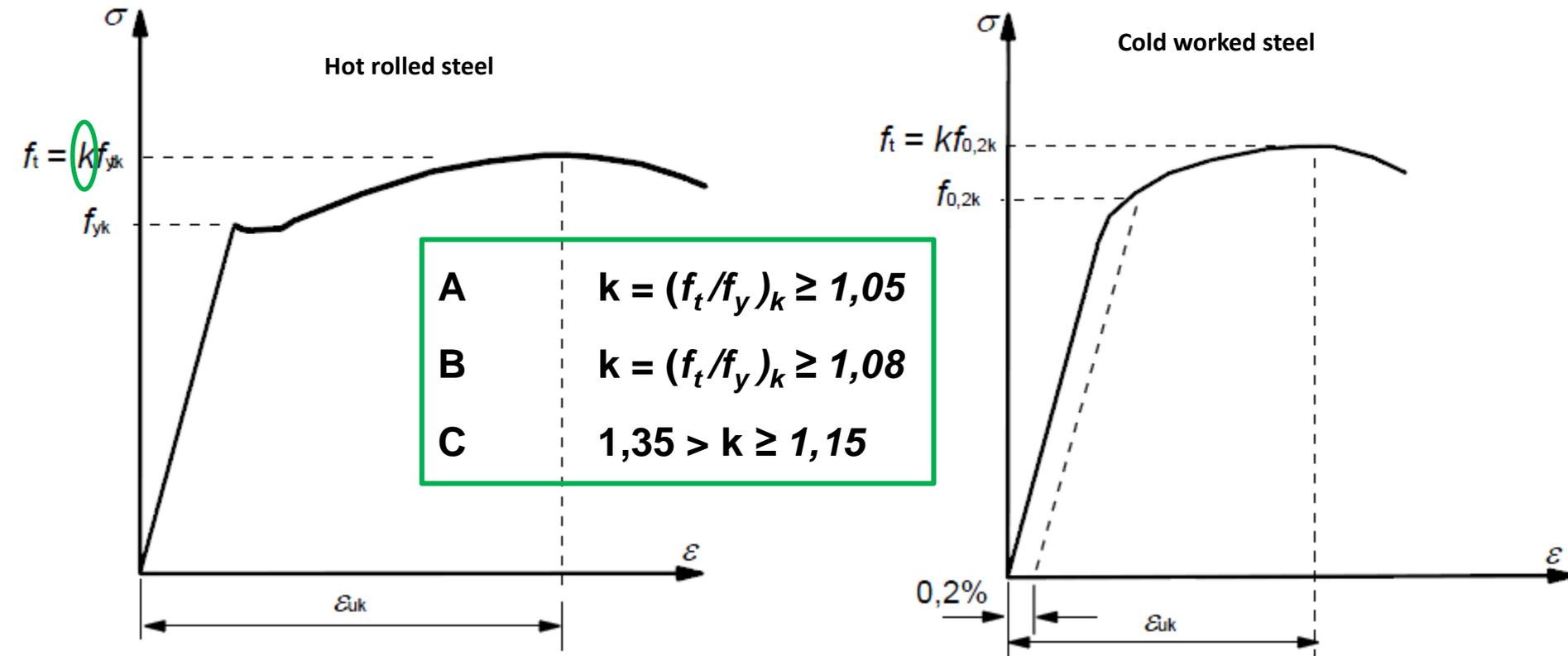
## Steel / Oțelul

## Ductility



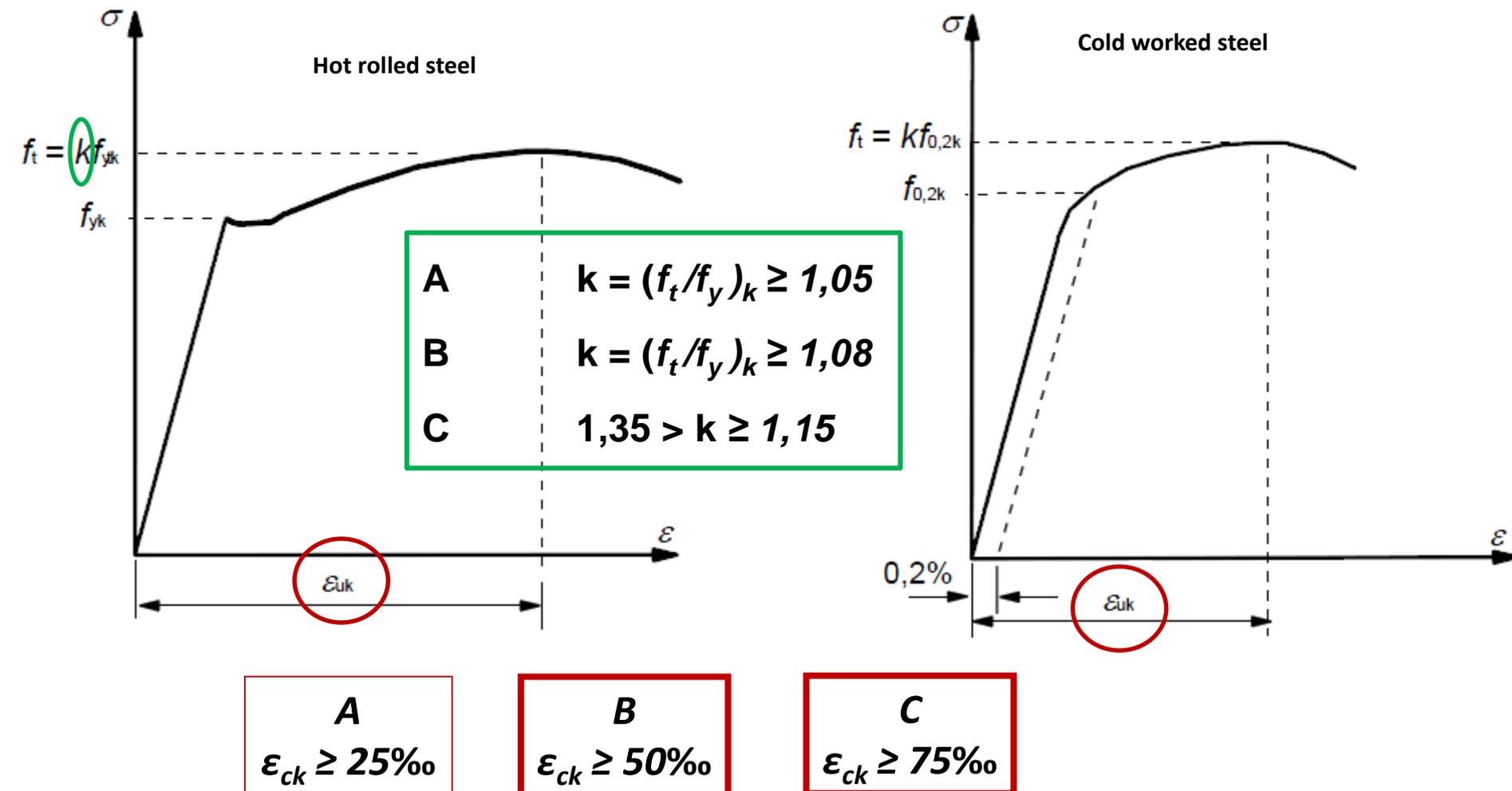
## Steel / Oțelul

## Ductility

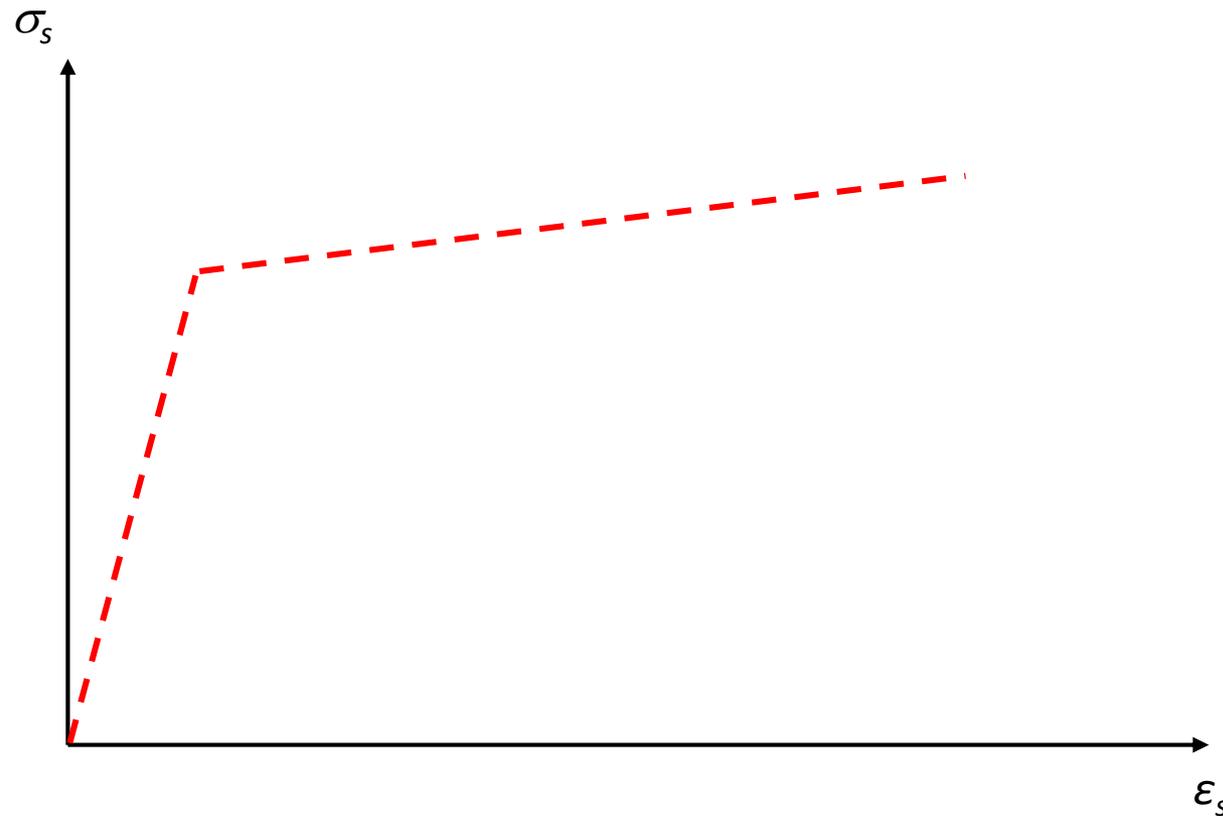


## Steel / Oțelul

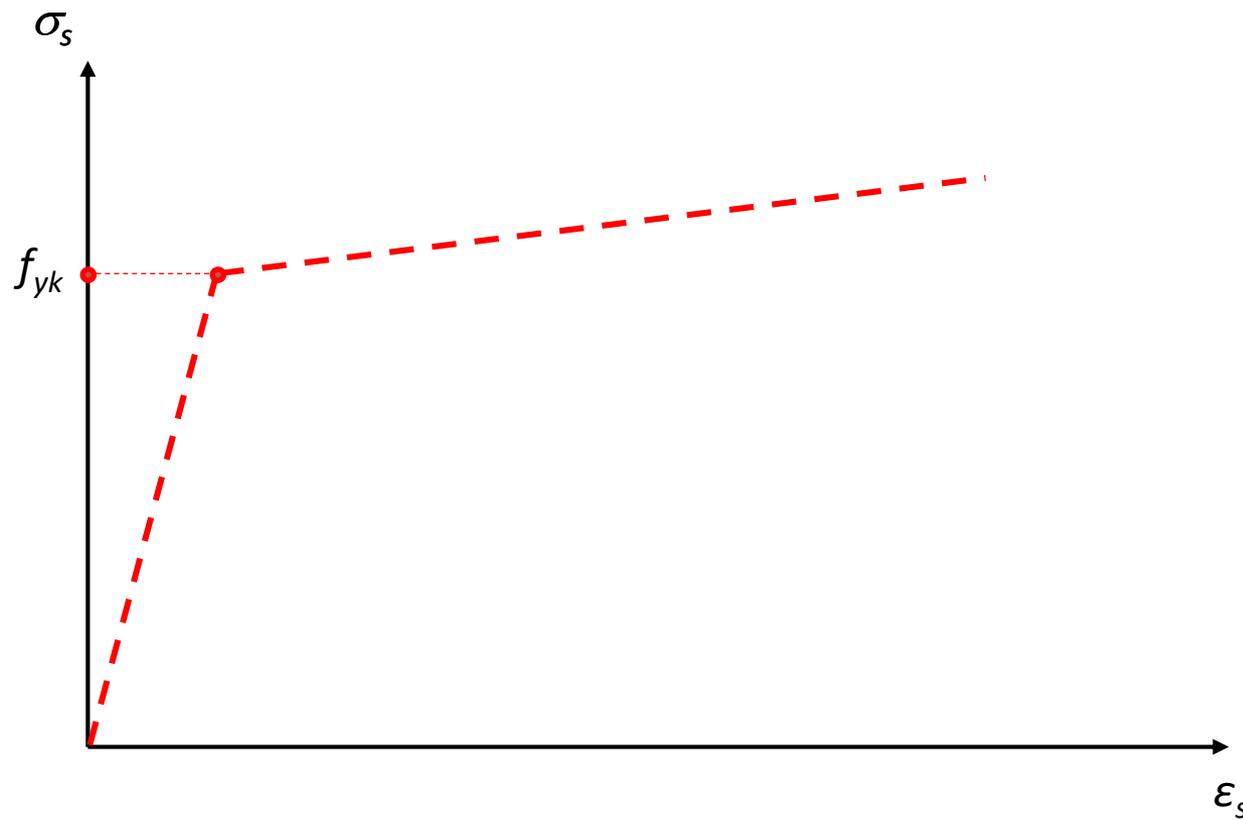
## Ductility



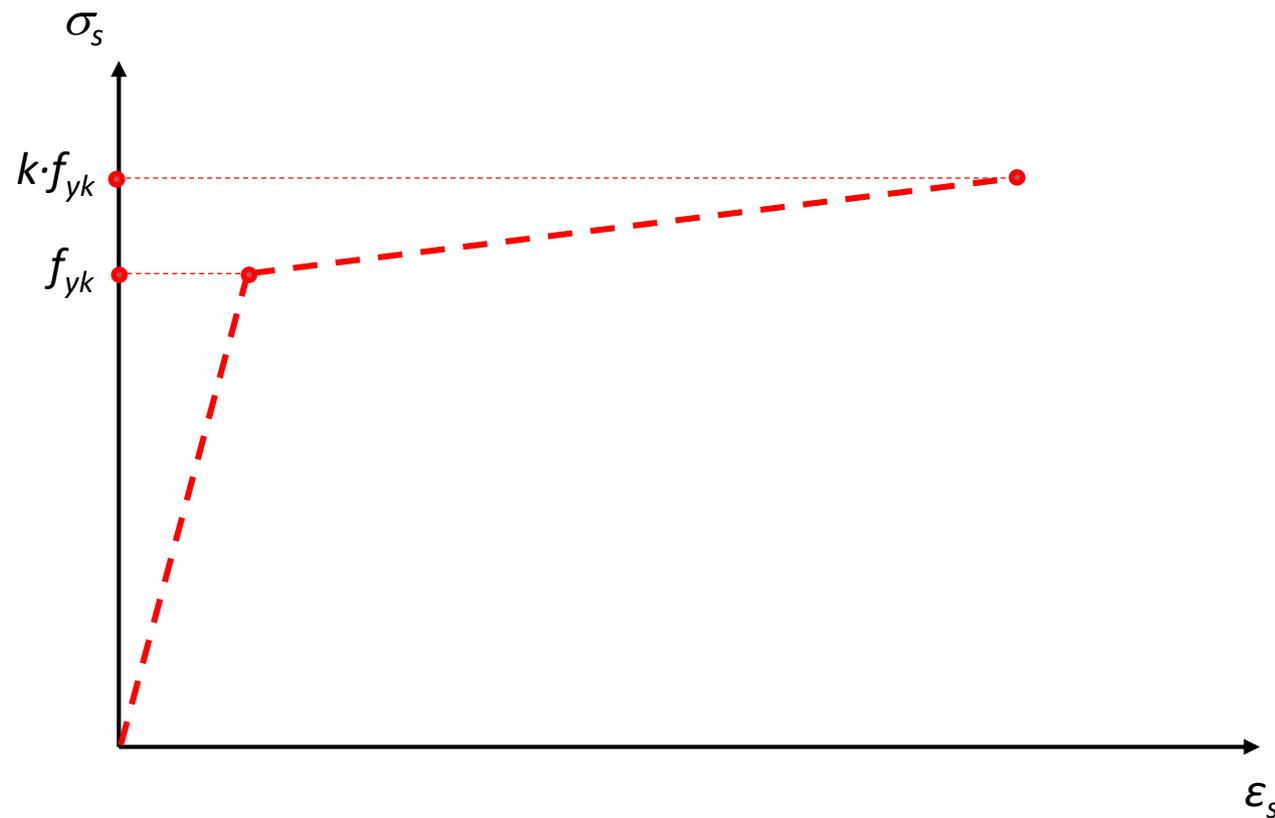
## DESIGN DATA FOR REINFORCING STEEL



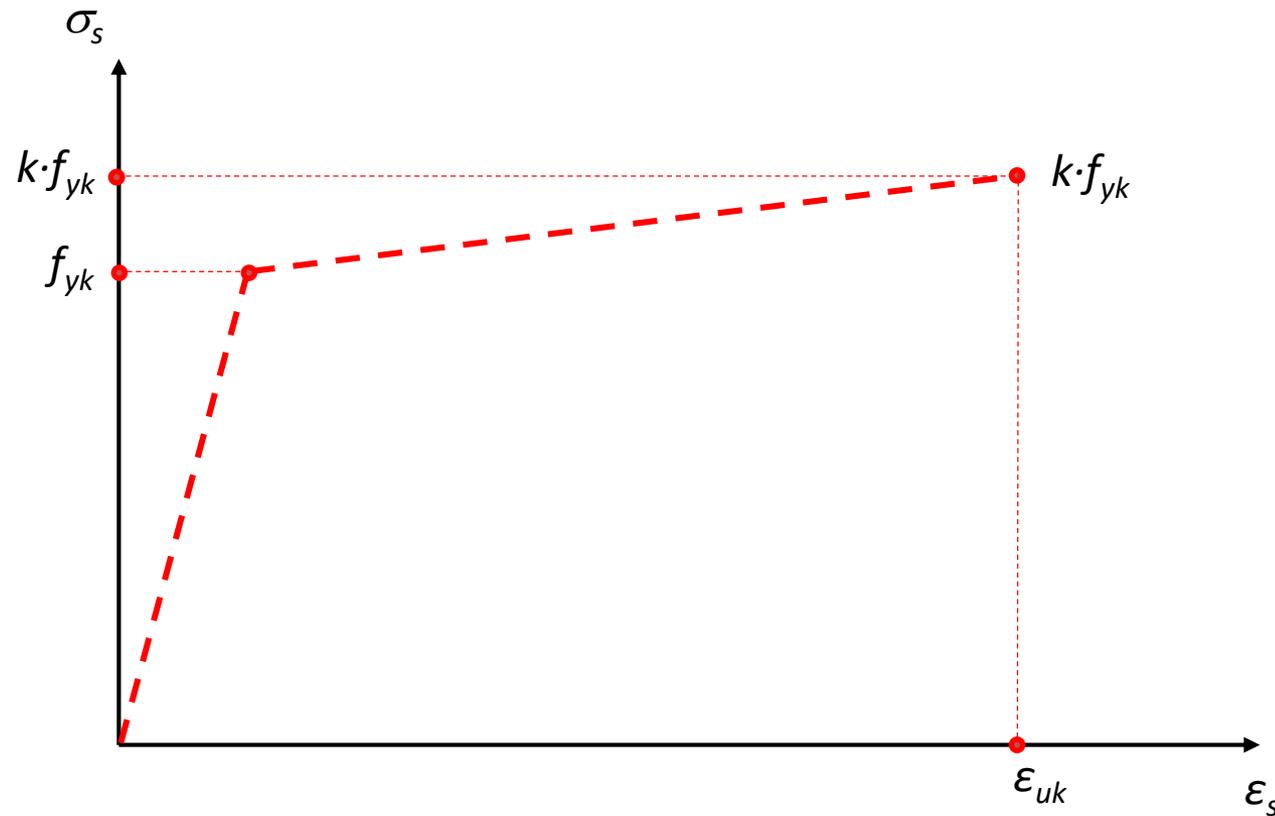
## DESIGN DATA FOR REINFORCING STEEL



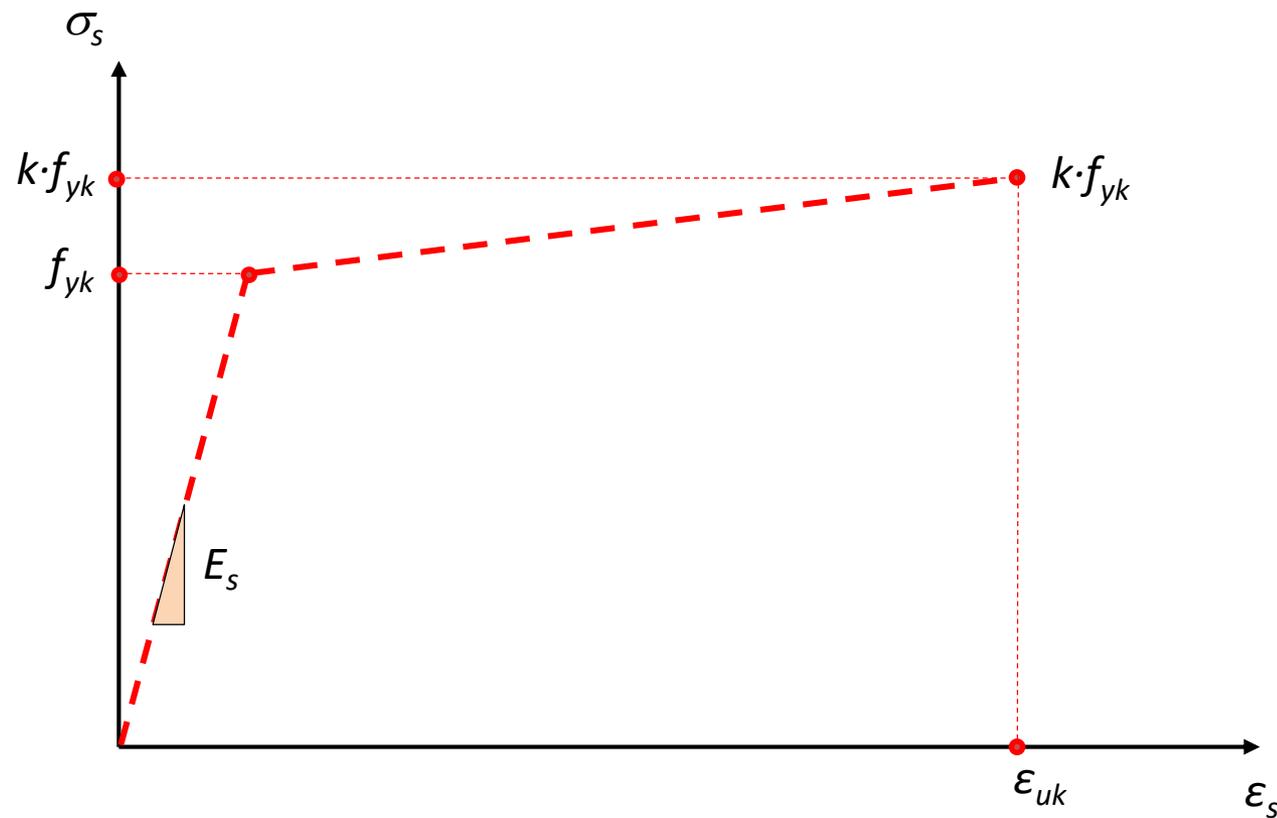
## DESIGN DATA FOR REINFORCING STEEL



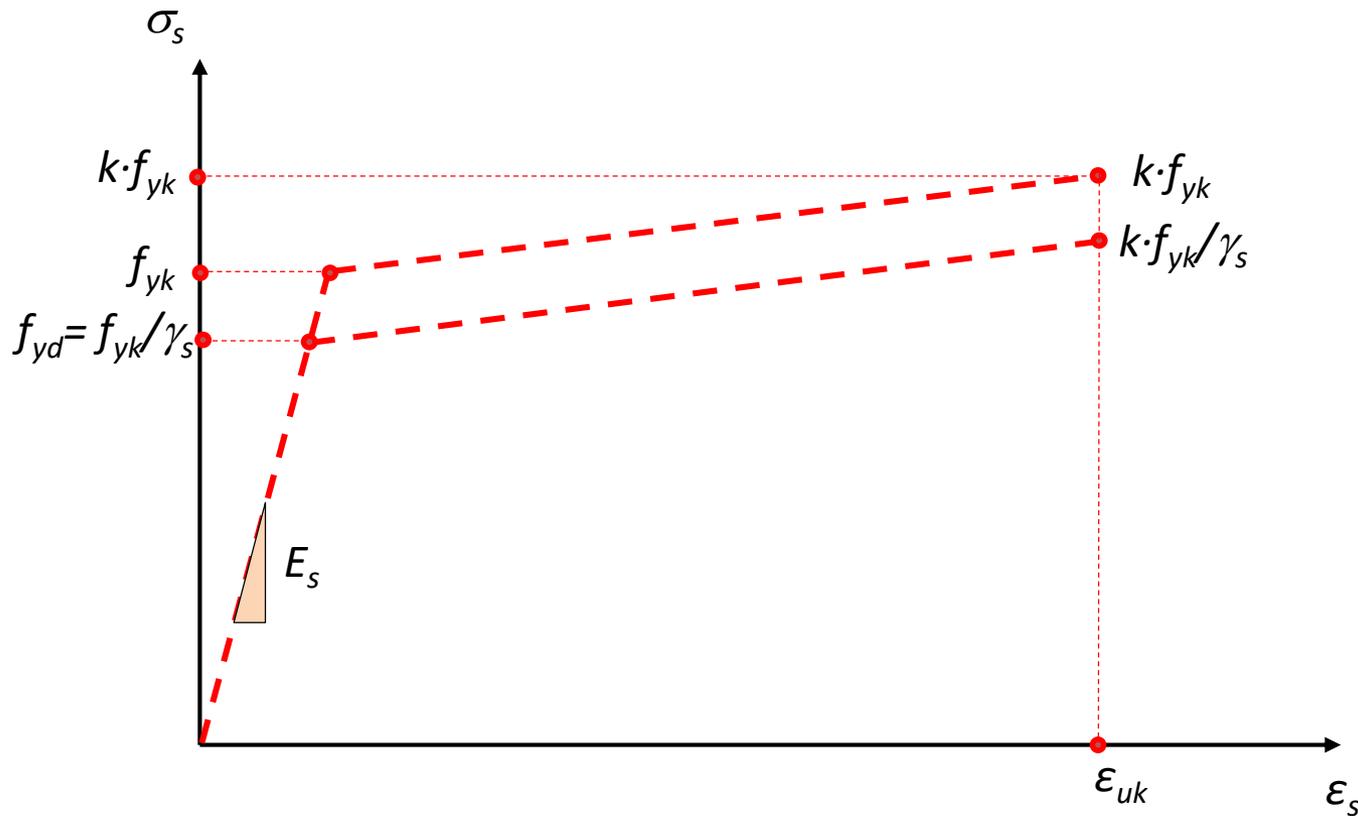
## DESIGN DATA FOR REINFORCING STEEL



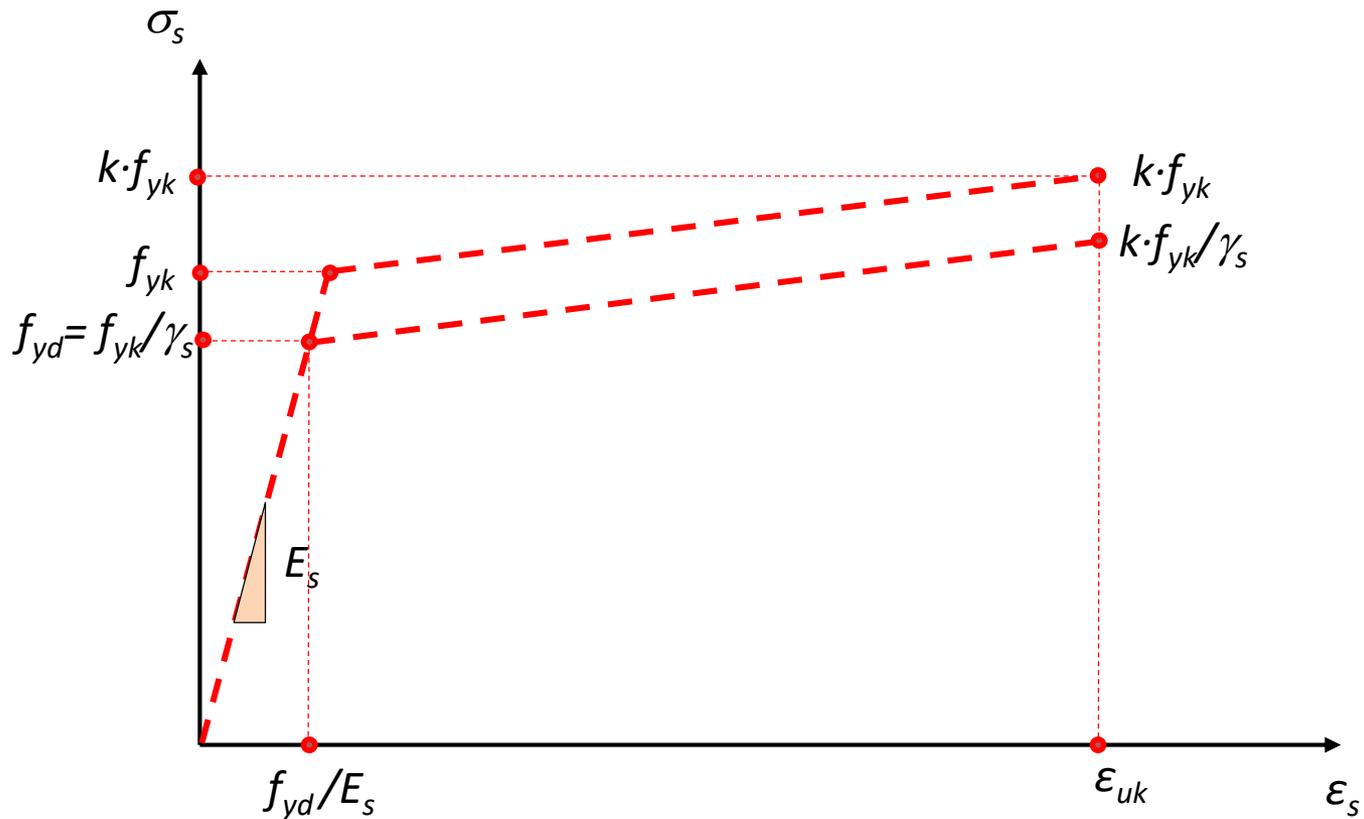
## DESIGN DATA FOR REINFORCING STEEL



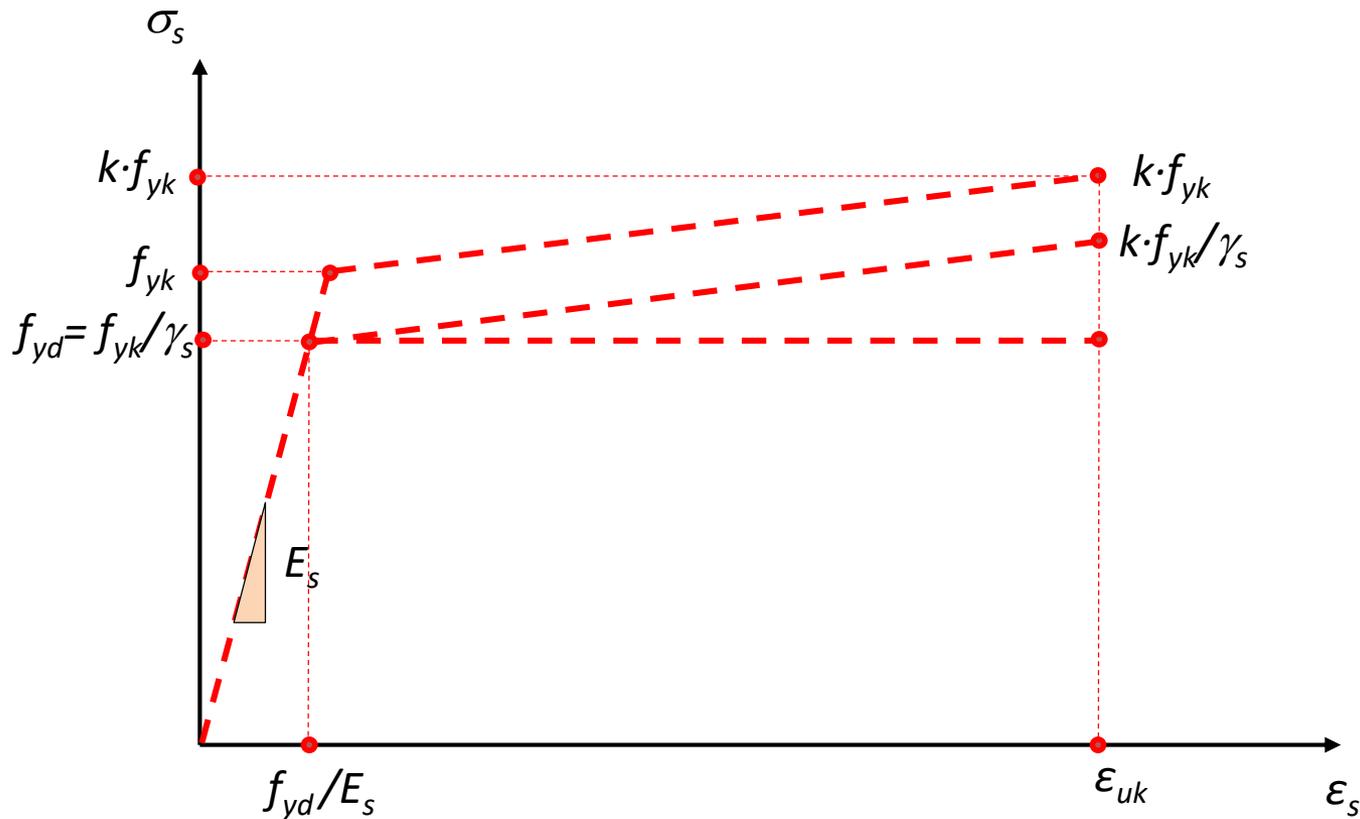
## DESIGN DATA FOR REINFORCING STEEL



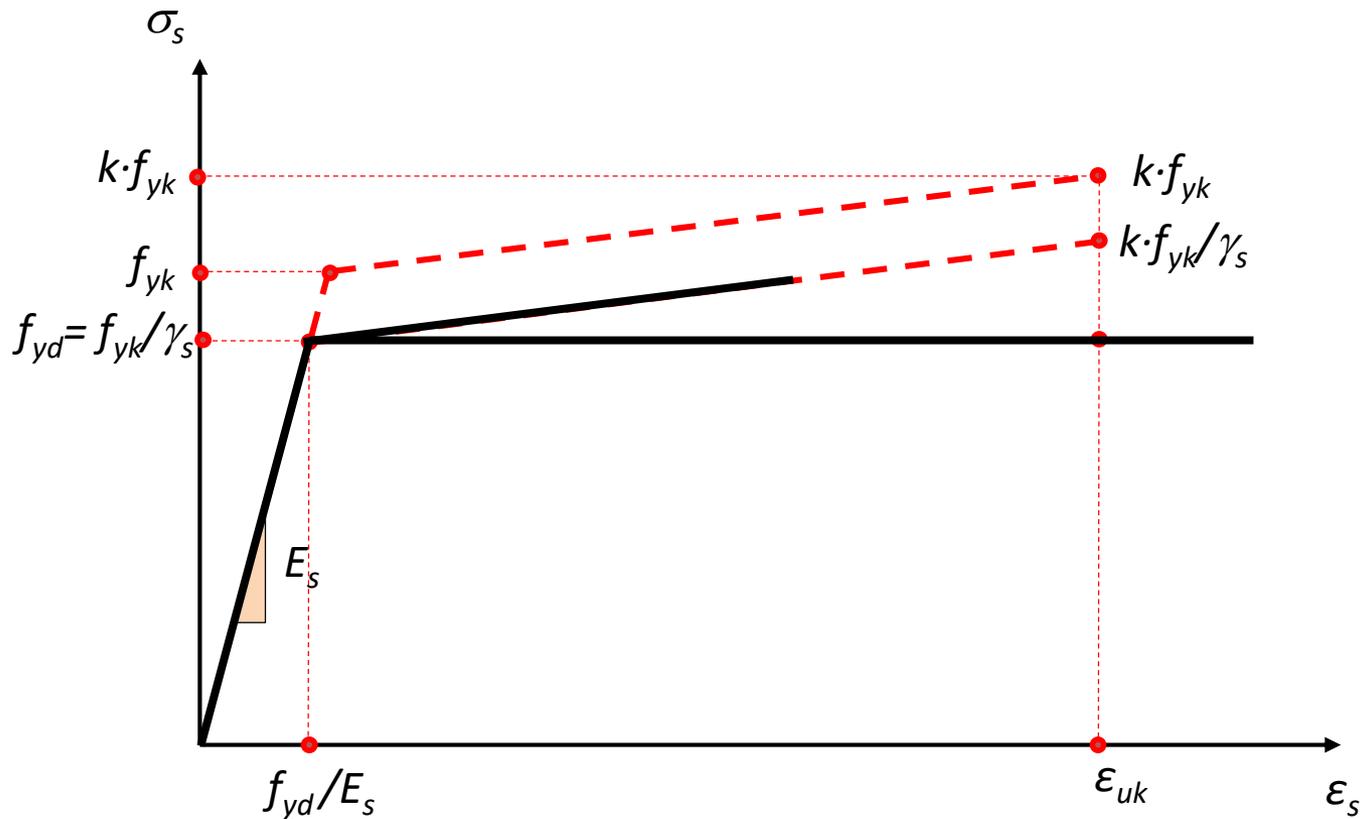
## DESIGN DATA FOR REINFORCING STEEL



## DESIGN DATA FOR REINFORCING STEEL

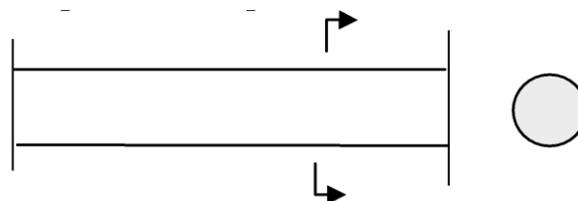


## DESIGN DATA FOR REINFORCING STEEL

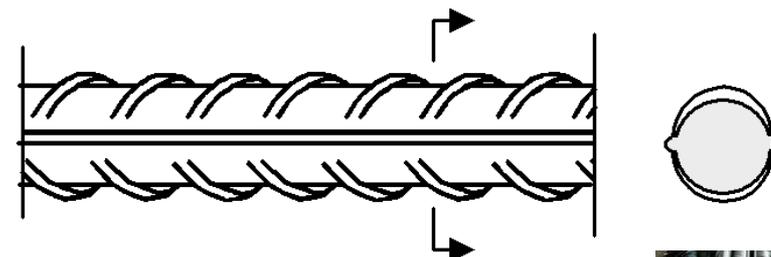
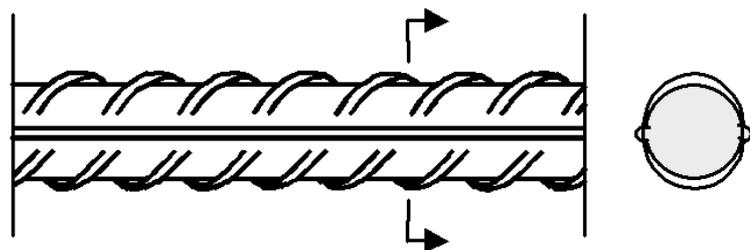


## ROMANIAN PRODUCTS

**OB37** → - plain bar used for stirrups and helix or as secondary reinforcement



**PC52 and PC60** → ribbed bars, used as principal reinforcement (structural)



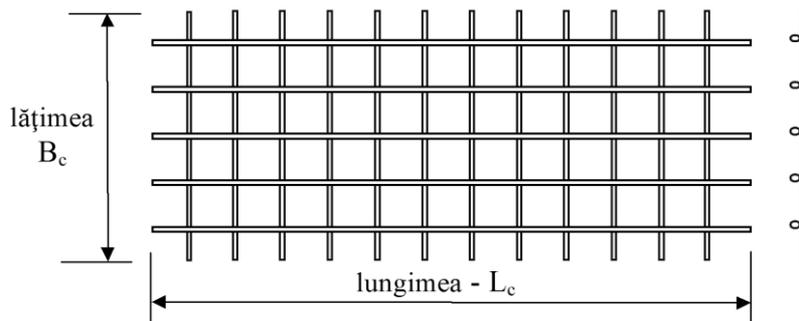
Delivery:

- Coiled for  $\phi = 6...12$  mm
- Strait bars  $\phi \geq 14$  mm; L = 8(10)...18 m

## Steel / Oțelul

## ROMANIAN PRODUCTS

**STNB** cold drawn wire  
 $\phi = 3...10\text{mm}$   
 plain wire used for welded fabrics (STAS 438/3-89)  
 characteristics - table



$\phi$ (mm)	Minimal characteristic values		
	$f_{yk}$ (MPa)	$f_{tk}$ (MPa)	Elongation at failure $A_{10}$ (%)
3,0; 3,5; 4,0	510	610	6
4,5; 5,0; 5,6	460	560	7
6,0; 6,5; 7,1			8
8,0; 9,0; 10,0	400	510	8



- frequency of use: G-high; L-medium; S-low
- style: Q – squared grid; R – rectangular grid
- dimension: 6,0 x 2,45 m

## ROMANIAN PRODUCTS

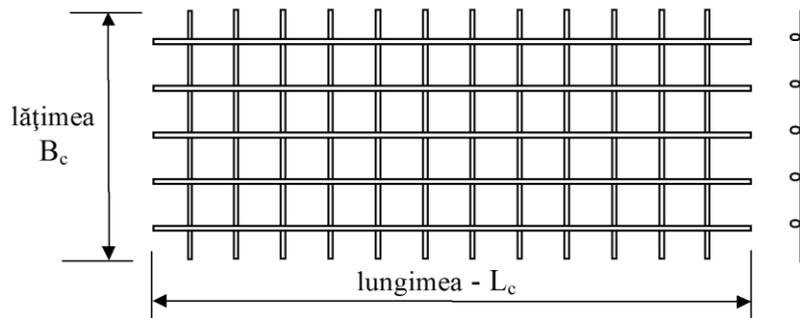
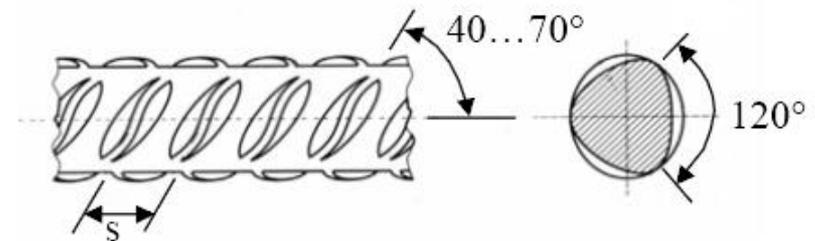
**SPPB** indented wire by plastic deformation

$$\phi = 4 \dots 8 \text{ mm}$$

$$f_{0,2k} = 460 \text{ MPa}$$

$$f_{tk} = 510 \text{ MPa}$$

used for welded fabrics; dimensions by the producer



## CLASSIFICATION OF THE ROMANIAN PRODUCTS

- Steel **PC60** satisfies both criteria of strength and ductility
- Steel **OB37** and **PC52** **don't satisfy** requirements of yielding limit strength

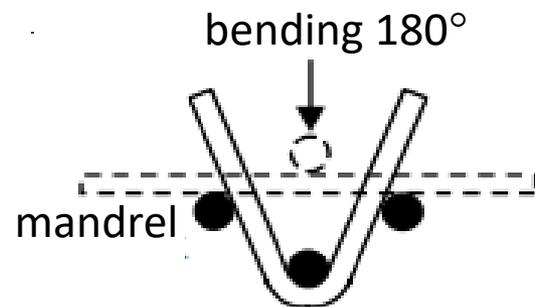
$$f_{y,max} < 400 \text{ MPa}$$

- **Ductility** is satisfied for all the laminated rebars, the ratio  $k = f_t / f_{yk} = 1,4...1,5$
- Elongation at maximum force has higher values than those prescribed
- Delivery:
  - Coiled for  $\phi = 6...12$  mm
  - Strait bars  $\phi \geq 14$  mm; L = 8(10)...18 m

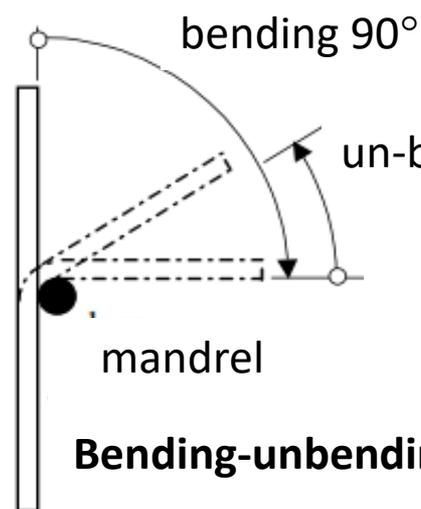
## Steel / Oțelul

## TESTS FOR BARS

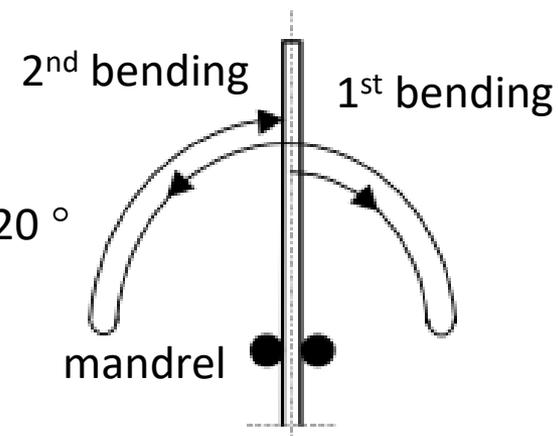
## Tension test



Bending test

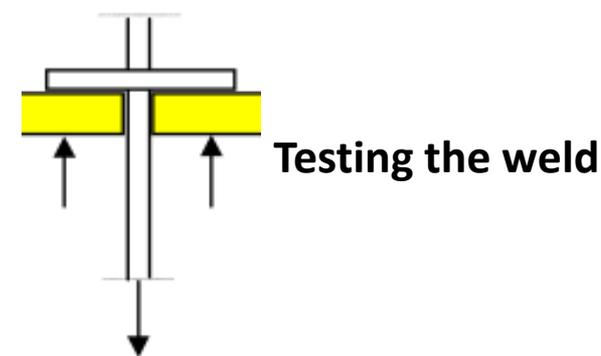
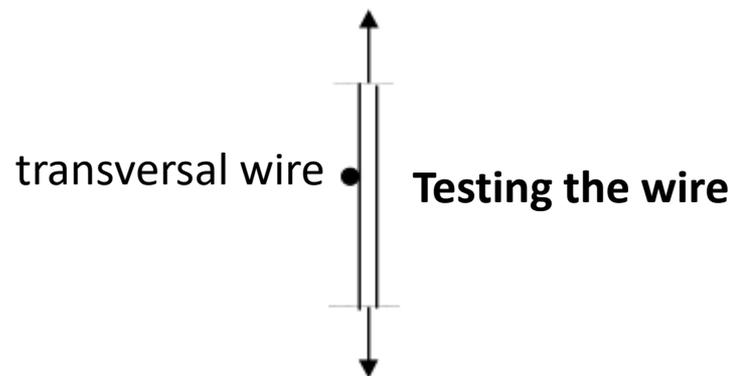


Bending-unbending test



Alternated bending test

## TESTS FOR FABRICS



THANK YOU FOR YOUR ATTENTION!

**Dr. NAGY-GYÖRGY Tamás**

*Professor*

E-mail: [tamas.nagy-gyorgy@upt.ro](mailto:tamas.nagy-gyorgy@upt.ro)

Tel: +40 256 403 935

Office: A219

Web: <http://www.ct.upt.ro/users/TamasNagyGyorgy/index.htm>

